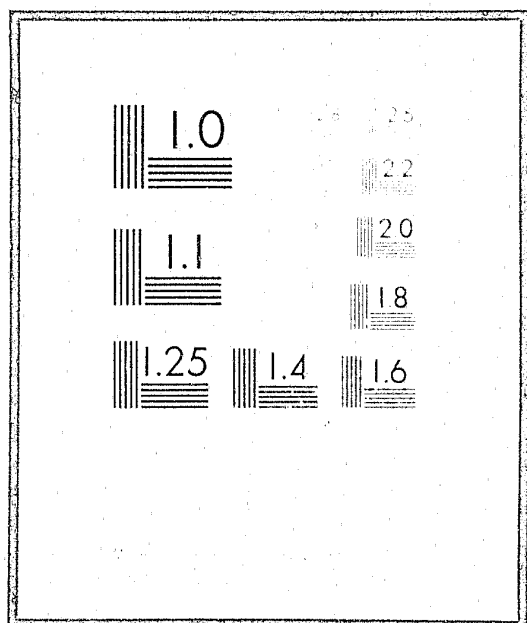


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PATROL OPERATIONS OF BURNABY^{BC}/RCMP DETACHMENT
ANALYSIS AND SIMULATION

COMPLETE REPORT

F.R. LIPSETT, A.F. DALLEY* AND J.G. ARNOLD
*GUEST WORKER FROM RCMP

ERB - 887

(A SUMMARY REPORT IS GIVEN IN ERB-886)

AUGUST 1975

RADIO AND ELECTRICAL
ENGINEERING DIVISION

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ET DE GENIE ELECTRIQUE

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PATROL OPERATIONS OF BURNABY RCMP DETACHMENT

ANALYSIS AND SIMULATION

COMPLETE REPORT

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*Guest Worker from RCMP

ERB-887

(A summary report is given in ERB-886)

AUGUST 1975

ABSTRACT

This report describes work carried out under the NRC-RCMP Patrol Deployment Project, whose objectives were to optimize patrol operations of the Detachment and to seek new research results. The map of Burnaby was divided into 368 small areas called "geographical atoms" or simply "atoms". Data on calls for service were obtained during a two-week period, and each call was classified according to time of receipt, nature and atom. Analysis of these data served as the basis for a set of 324 computer simulations in which the number of cars, arrangements of zones and number of calls for service were varied. The simulation results were used together with the data on calls to prepare patrol car and response time forecasting tables. Suggestions for improving patrol operations were made.

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PATROL OPERATIONS OF BURNABY R.C.M.P. DETACHMENT
ANALYSIS AND SIMULATION

F.R. Lipsett, A.F. Dalley and J.G. Arnold

COMPLETE REPORT

I. INTRODUCTION

The NRC-RCMP Patrol Deployment Project

This report describes work carried out under the NRC-RCMP Patrol Deployment Project. The project includes two RCMP Detachments—Burnaby and Red Deer (rural)—of which only the work in Burnaby is discussed here. The program is a continuation of work carried out with the Gloucester Police Force (1,2) and is similar to a project in progress with the Ottawa Police Force. The analysis and computer programs were similar to those used for the Gloucester work and originated in the work of Professor R.C. Larson of the Massachusetts Institute of Technology (3).

Use of Simulations

The simulations attempt to duplicate the operations of police patrols by mathematical operations carried out by a computer. Naturally only the mathematical, not the human, aspects of the patrol are dealt with. In the simulation it is assumed that calls for service arrive at a certain rate, that radio-equipped patrol cars are dispatched in answer to the calls, and that a certain time is taken for the patrol car to reach the scene of a call and to deal with it. If calls for service arrive at a low rate the patrolmen will have adequate time for preventive patrol. However, if calls arrive at a high rate it is unlikely that there will be enough patrol cars to answer each call as it is received, and calls will have to be placed in a queue.

At the outset, data obtained for the force under consideration are employed and the current operations of the force are duplicated as closely as possible. Then various factors are altered and their effects are observed. These may include the rate of calls for service, number of patrol cars on duty, alterations of the areas patrolled by the force, and so on. Thus the effect of a change in the strategy of the force, or the effect of a change in the area for which the force is responsible, may be deduced without the expense or difficulty of experiments on the force itself, or prior to implementation of a new strategy.

TABLE I (cont'd)

7 March 1974

LOST OR MISSING PERSON.....	666
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Results

The number of calls per day for the experimental period is given in Fig. 5. Saturday and Sunday were the busiest days of the week. The average number of calls per day was 102. The percentages of calls for various types of occurrences are given in Table II. At the time of data collection Burnaby was divided into the eight zones shown in Fig. 6. The atoms are also shown in Fig. 6. The number of calls received in each zone during the experimental period is shown in Fig. 7. The number per zone is fairly uniform, indicating that the present arrangement of zones is satisfactory. The number of calls per atom is given in Table III. It ranged from 0 to 40, but most atoms (70.4%) had 0 to 4 calls during the two-week period.

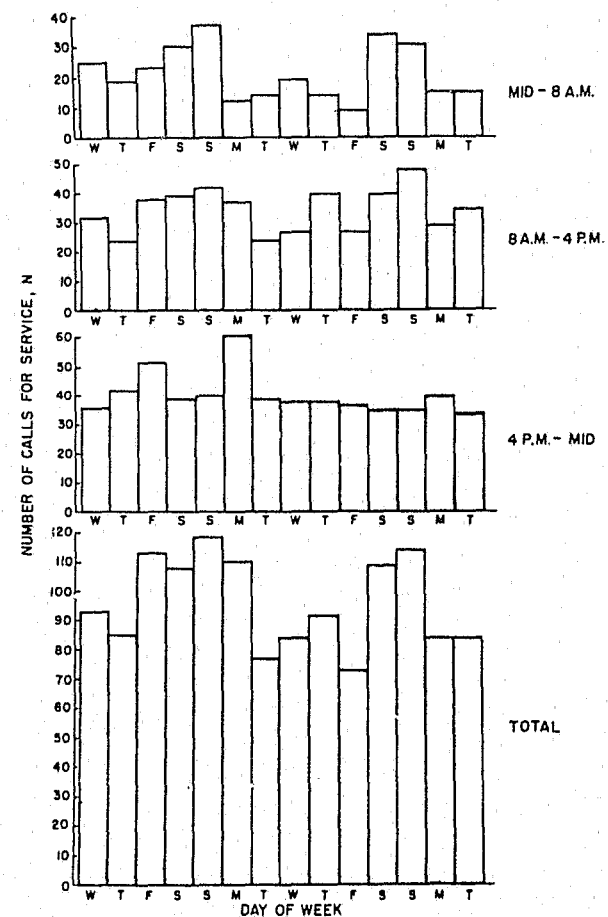


Fig. 5. Number of calls to which a radio car was dispatched for the whole of Burnaby, by time of day and day of week. The total number of calls was 1431 for the two weeks.

The number of calls per hour is given in Table IV and is shown in Fig. 8. The number varied from zero to twenty-one per hour, with the largest numbers of calls per hour on Sunday morning, Monday afternoon and Wednesday morning. The overall average was 4.3 calls per hour.

TABLE II
Distribution of dispatched calls for service

Total Number of Calls for Service	1431
Administrative	2.6%
Traffic Accidents	11.5%
Parking	2.5%
<u>Criminal</u>	
Assault	13.4%
Damage to Property	5.8%
Theft Miscellaneous	2.2%
Theft Over \$200	2.2%
Theft Under \$200	9.7%
Shoplifting	2.3%
Stolen Auto	5.3%
Break and Enter	3.7%
Other	2.5%
<u>Total Criminal</u>	<u>47.1%</u>
<u>Non-Criminal</u>	
Domestic Trouble	1.2%
Drunkenness	1.2%
Suspicious Character	4.7%
Fire Alarms	2.2%
See Complainant	1.7%
Medical Attention	2.4%
Dominion Signal	4.0%
Lost Person	2.9%
Patrol Initiated Calls	10.1%
Assists	4.9%
Other	1.0%
<u>Total Non-Criminal</u>	<u>36.3%</u>

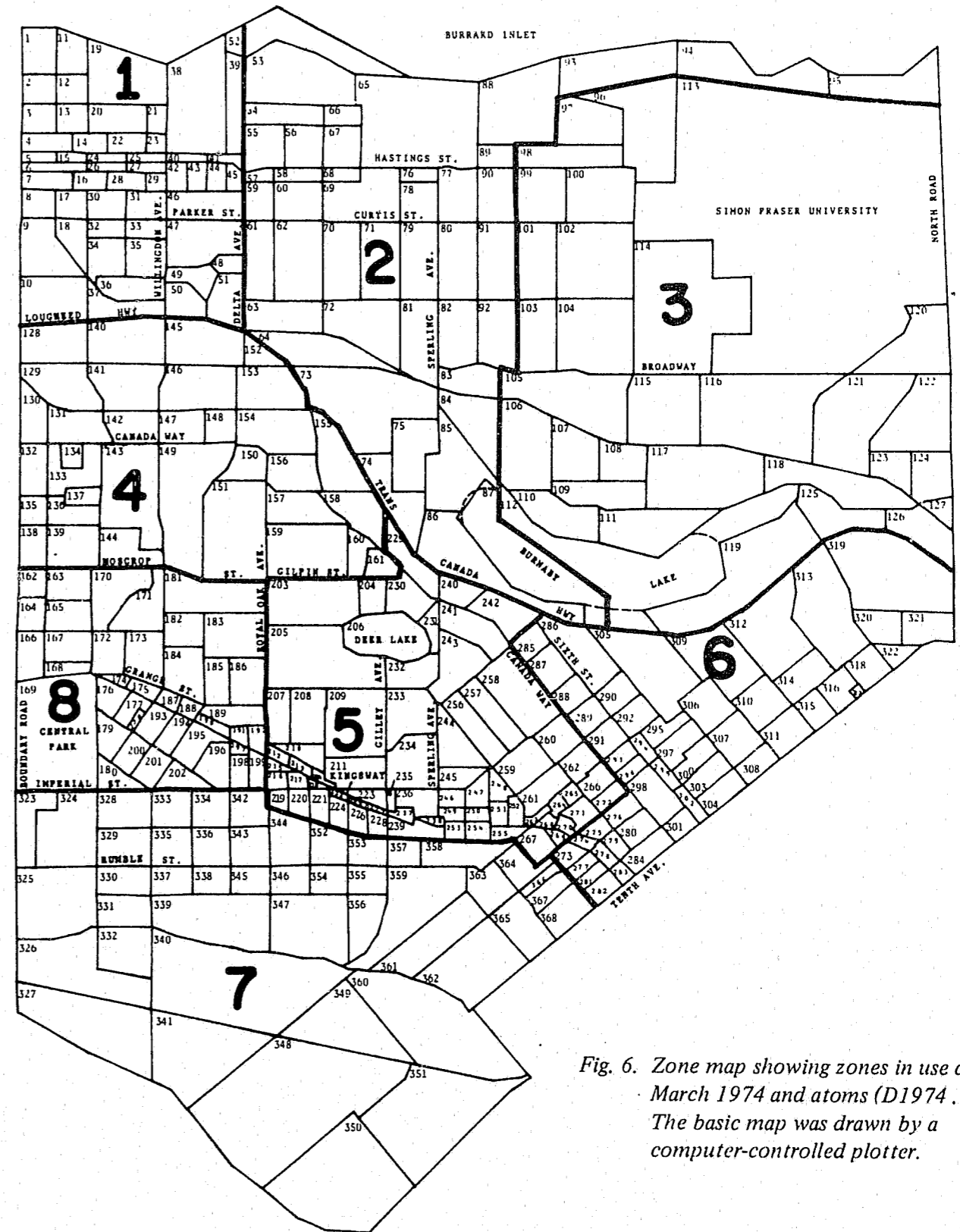


Fig. 6. Zone map showing zones in use during March 1974 and atoms (D1974 . 8). The basic map was drawn by a computer-controlled plotter.

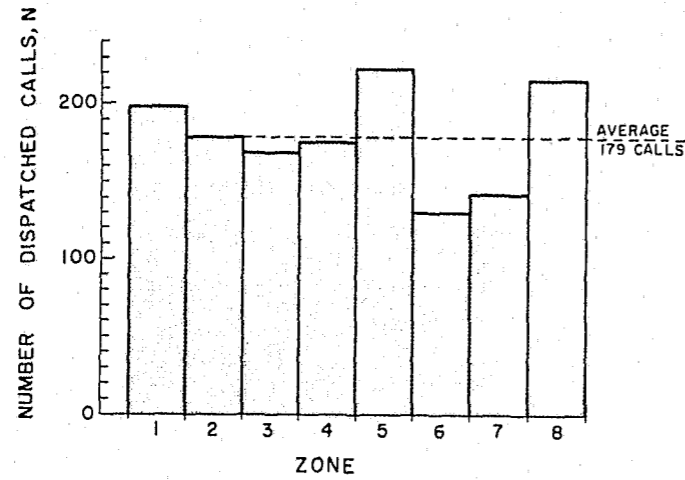


Fig. 7. Number of dispatched calls by zone for the experimental period.

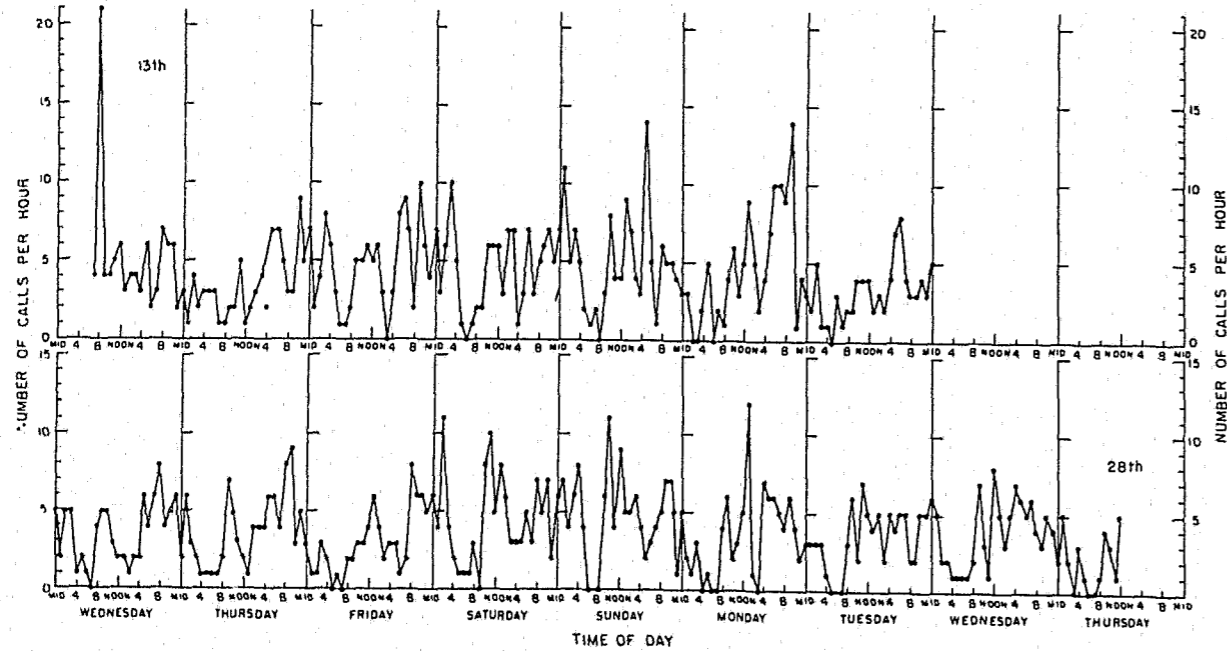


Fig. 8. Number of calls per hour to which a radio car was dispatched, by time of day, for 13-26 March 1974.

TABLE III. Number of calls per atom during the experimental period 13-26 March 1974.

Atom	No. of Calls	Atom	No. of Calls	Atom	No. of Calls	Atom	No. of Calls
1	1	51	3	101	4	151	0
2	4	52	0	102	0	152	3
3	3	53	7	103	7	153	0
4	0	54	10	104	0	154	7
5	0	55	4	105	1	155	7
6	11	56	4	106	4	156	1
7	2	57	1	107	1	157	4
8	2	58	1	108	3	158	4
9	2	59	0	109	5	159	2
10	4	60	5	110	0	160	3
11	1	61	2	111	3	161	4
12	0	62	7	112	1	162	3
13	0	63	6	113	18	163	5
14	0	64	5	114	0	164	2
15	0	65	6	115	9	165	2
16	4	66	3	116	7	166	2
17	1	67	3	117	6	167	3
18	0	68	5	118	13	168	2
19	6	69	4	119	0	169	13
20	6	70	3	120	1	170	4
21	2	71	4	121	11	171	4
22	1	72	5	122	10	172	2
23	3	73	1	123	14	173	1
24	3	74	5	124	33	174	0
25	1	75	2	125	3	175	3
26	23	76	2	126	3	176	13
27	8	77	8	127	6	177	7
28	6	78	1	128	2	178	0
29	1	79	3	129	2	179	1
30	6	80	11	130	5	180	9
31	8	81	4	131	3	181	2
32	3	82	3	132	5	182	6
33	2	83	1	133	8	183	1
34	4	84	11	134	2	184	5
35	2	85	7	135	3	185	1
36	0	86	3	136	4	186	2
37	3	87	0	137	4	187	7
38	5	88	13	138	1	188	0
39	3	89	2	139	5	189	7
40	3	90	3	140	17	190	1
41	3	91	3	141	0	191	4
42	11	92	7	142	3	192	0
43	7	93	0	143	3	193	13
44	1	94	2	144	5	194	10
45	3	95	2	145	16	195	17
46	12	96	0	146	4	196	5
47	5	97	0	147	2	197	4
48	2	98	2	148	0	198	5
49	1	99	2	149	10	199	8
50	18	100	1	150	0	200	19

TABLE III. (Cont'd)

Atom	No. of Calls	Atom	No. of Calls	Atom	No. of Calls	Atom	No. of Calls
201	10	251	2	301	9	351	0
202	15	252	8	302	2	352	4
203	5	253	0	303	4	353	3
204	2	254	2	304	3	354	6
205	3	255	13	305	1	355	0
206	0	256	4	306	3	356	5
207	2	257	3	307	2	357	2
208	1	258	4	308	1	358	1
209	3	259	4	309	0	359	5
210	3	260	1	310	0	360	7
211	6	261	5	311	2	361	3
212	0	262	5	312	1	362	4
213	0	263	0	313	3	363	1
214	1	264	1	314	2	364	6
215	9	265	0	315	0	365	4
216	0	266	4	316	3	366	1
217	2	267	3	317	0	367	4
218	1	268	8	318	2	368	2
219	2	269	6	319	5		
220	2	270	5	320	1		
221	4	271	4	321	2		
222	4	272	1	322	0		
223	2	273	2	323	5		
224	2	274	1	324	0		
225	4	275	3	325	5		
226	2	276	1	326	6		
227	2	277	9	327	0		
228	1	278	7	328	4		
229	2	279	6	329	0		
230	3	280	0	330	1		
231	0	281	1	331	4		
232	1	282	4	332	3		
233	0	283	6	333	3		
234	5	284	4	334	5		
235	1	285	0	335	1		
236	3	286	1	336	3		
237	12	287	1	337	2		
238	2	288	2	338	2		
239	13	289	4	339	3		
240	3	290	0	340	2		
241	6	291	4	341	0		
242	2	292	1	342	10		
243	3	293	7	343	3		
244	2	294	3	344	3		
245	2	295	2	345	7		
246	1	296	2	346	6		
247	4	297	2	347	3		
248	0	298	8	348	1		
249	2	299	3	349	1		
250	8	300	0	350	3		

TABLE IV. Number of calls per hour, 13-28 March 1975

HOUR	DAY															
	W 13	T 14	F 15	S 16	S 17	M 18	T 19	W 20	T 21	F 22	S 23	S 24	M 25	T 26	W 27	T 28
0-1		1	2	3	11	3	2	2	6	1	4	7	2	3	4	5
1-2		4	4	6	5	0	5	5	3	1	11	4	1	3	2	2
2-3		2	8	8	7	0	1	5	2	3	4	6	3	3	2	0
3-4		3	6	5	5	2	1	1	1	2	2	8	0	1	1	3
4-5		3	3	1	2	5	0	2	1	0	1	4	1	0	1	1
5-6		3	1	0	1	0	3	1	1	1	1	0	0	0	1	0
6-7	4	1	1	1	2	2	1	0	1	0	1	0	0	0	1	0
7-8	21	1	2	0	0	1	2	4	2	2	3	0	4	3	2	1
8-9	4	2	5	2	3	4	2	5	7	2	0	6	6	6	7	4
9-10	4	2	5	6	8	6	4	5	5	3	8	11	2	2	3	3
10-11	5	5	6	6	4	3	4	3	3	3	10	4	3	7	1	1
11-12	6	1	5	6	4	5	4	2	2	4	5	9	5	5	8	5
12-13	3	2	6	3	9	9	2	2	1	6	8	5	12	4	5	
13-14	4	3	3	7	7	5	3	1	4	4	6	5	1	5	3	
14-15	4	4	0	7	4	2	2	2	4	2	3	6	0	2	5	
15-16	3	2	3	1	3	4	4	2	4	3	3	4	7	5	7	
16-17	6	7	8	3	14	7	7	6	6	3	3	2	6	4	6	
17-18	2	7	9	7	5	10	8	4	6	1	5	3	6	5	5	
18-19	3	5	7	3	1	10	4	6	4	2	3	4	5	5	6	
19-20	7	3	2	5	6	9	3	8	8	8	7	5	4	2	4	
20-21	6	3	10	6	5	14	3	4	9	6	5	7	6	2	3	
21-22	6	9	6	7	5	1	4	5	3	6	7	7	4	5	5	
22-23	2	5	4	5	4	4	3	6	5	5	2	1	2	5	4	
23-24	3	7	7	7	3	3	5	2	3	6	6	5	3	6	2	

These data were averaged for 3-hour intervals for each day of the week with the results shown in Fig. 9. Here an approximately daily variation is shown, with a minimum of about 1.5 calls per hour around 4 o'clock in the morning, and a maximum of 5-8 calls per hour in late afternoon to early evening. On Friday and Saturday evening this maximum carries over to the following morning. Saturday and Sunday show a maximum around noon.

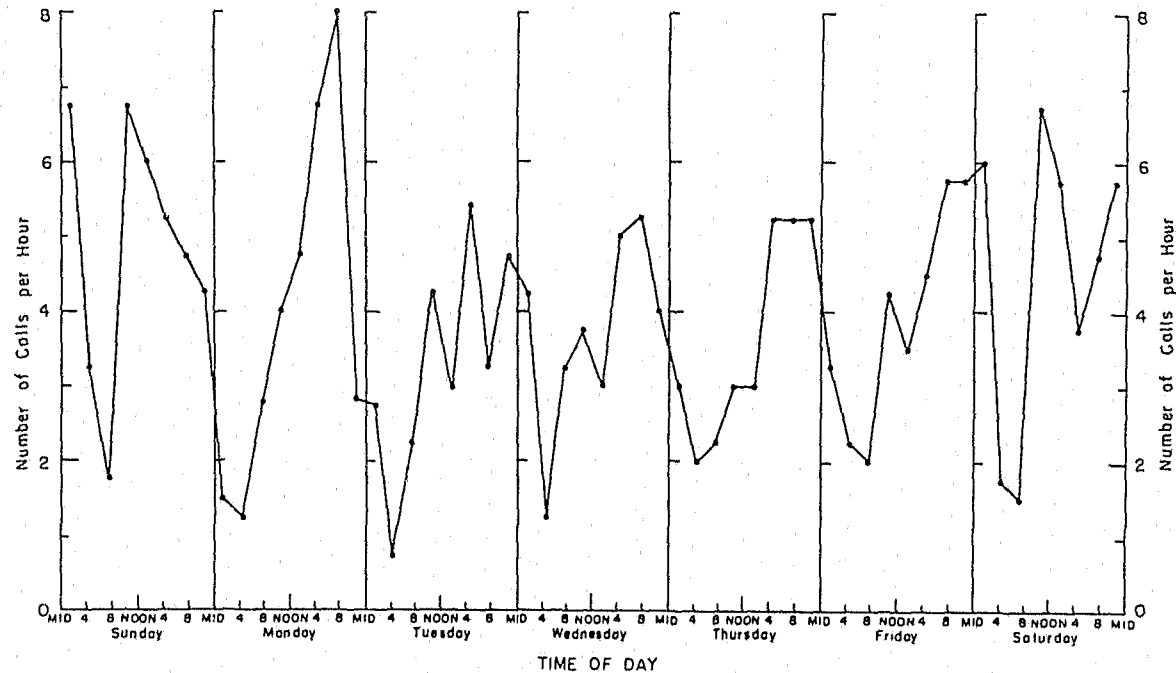


Fig. 9. Number of calls per hour to which a radio car was dispatched, by time of day, for 13-26 March 1974. In this diagram the calls have been averaged for three-hour intervals in order to emphasize daily variations.

The distribution of calls per hour is given Fig. 10, in which the experimental data are shown as a histogram, and a theoretical curve (known as a Poisson distribution) is fitted to the data. From the figure it will be seen that 4-5 calls per hour may be expected about 19% of the time; 5-6 may be expected 15% of the time; and so on. More than 12 calls per hour seldom occurred.

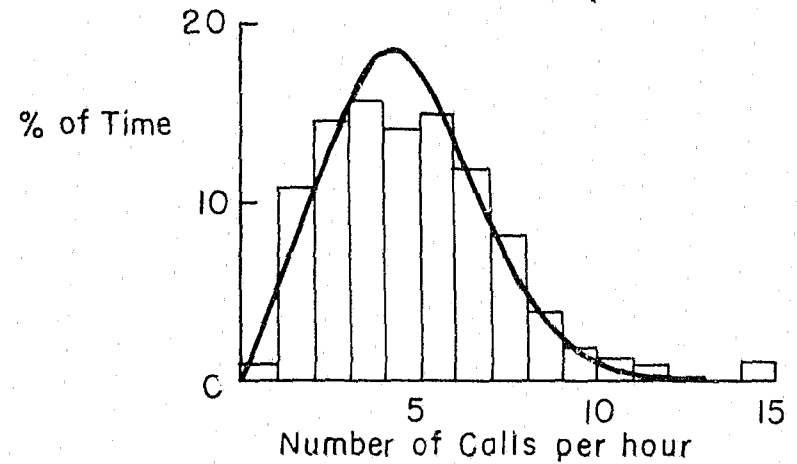


Fig. 10. Distribution of number of calls per hour as a percentage of time. The histogram shows experimental data to which a theoretical curve has been fitted. The equation for the curve is $\%T = N^a e^{-aN} / N!$ where $a = 4.637$.

The time taken from the receipt of a call for service to the dispatch of a car, or dispatch delay, is given in Table V and plotted in Fig. 11. The accuracy of the histogram is in doubt since it was found, after the data were taken, that the clock used for recording the time of receipt of a call and the clock used for recording the dispatch were not necessarily synchronized. On the other hand, the delays are comparable with those of other forces and should decrease with planned changes in the communications system. The curve fitted to the data is a negative exponential and is of the same form as that found for the Ottawa Police Force (4). The dispatch delay includes time necessary to effect transmission of details of the call, which was chosen as 3/4 minute for the prediction of response time, and time for a patrol car to become available. The latter may be expected to depend on the number of calls per hour. To verify this the data of Tables IV and V were averaged and plotted on a graph shown in Fig. 12. Although there is a large variation in the results, indicated by vertical bars, the dispatch delay clearly increases with the number of calls per hour.

Travel times (from dispatch to arrival at the scene) are shown as a histogram in Fig. 13. A Poisson distribution has been fitted to the data. The most probable travel time was 4.5 minutes.

Response times (dispatch delay plus travel time) were also determined. They are shown plotted in a histogram in Fig. 14. A theoretical curve (the sum of two exponentials) has been fitted to the data. The most likely response time is about 6 minutes, but there is a great variation, probably resulting from the large variation in dispatch delay.

TABLE V. Average dispatch delay (Minutes), 13-28 March 1975
DAY OF THE WEEK

HOUR	W 13	T 14	F 15	S 16	S 17	M 18	T 19	W 20	T 21	F 22	S 23	S 24	M 25	T 26	W 27	T 28
0-1	-	3	8.0	4.0	13.5	0.5	0.3	4.2	5.0	3.7	6.3	8.3	9.5	2.6	5.2	1.0
1-2	-	8.5	0	1.2	3.2	-	2.7	4.7	4.0	2.0	12.7	1.5	1.0	0	1.0	1.0
2-3	-	2	2.0	16.6	11.0	-	0	0.7	0	2.5	3.0	9.6	2.5	0	0	-
3-4	-	-	0	-	3.3	0	-	5.0	0	12.0	7.0	14.6	-	-	-	0
4-5	-	1	0	-	9.5	.7	0	4.5	0	-	3.5	12.0	0	-	-	0
5-6	-	2.5	1.0	-	8.0	-	2.0	1.0	0	1.0	-	-	-	-	-	-
6-7	1	-	-	2	-	.5	0	-	0	-	18.5	-	2	-	1.0	-
7-8	22.2	2	1.5	1.5	-	4.0	1.5	5.0	2.0	3.	5.5	-	2.7	-	0.3	0
8-9	8.3	23.6	25.6	2.0	5.5	5.7	2.0	5.6	3.6	16.5	-	3.4	2.2	8.0	13.0	27.0
9-10	7.7	7.0	2.0	10.3	6.8	5.0	5.0	5.3	2.4	17.8	7.6	9.3	0.0	0.6	11.0	7.3
10-11	2.3	7.3	4.2	2.5	12.3	0.5	2.5	-	11.0	7.0	11.9	3.4	11.3	4.3	3.3	2.0
11-12	14.0	-	1.5	6.2	8.5	1.0	1.7	8.0	8.5	0.7	6.0	4.8	7.4	12.3	2.6	4.4
12-13	-	-	5.6	3.8	6.8	6.0	0.5	-	7.0	21.4	9.9	10.6	7.7	8.0	39.8	-
13-14	11.2	16.5	2.0	16.5	15.8	1.5	7.0	2.5	12.0	13.2	11.7	1.5	1.0	42.0	6.0	-
14-15	36.0	2.0	1.0	16.3	5.5	2.0	7.5	2.0	6.5	-	34.5	1.2	-	19.0	6.0	-
15-16	4.0	2.2	5.7	2.0	4.6	9.0	0.7	2.0	11.0	2.5	3.0	19	7.4	4.2	8.8	-
16-17	9.0	1.6	2.8	9.0	16.5	8.3	0.7	1.7	9.2	0	18.6	0.6	5.7	11.0	12.3	-
17-18	1	9.6	9.5	2.0	23.3	13.2	24.0	9.5	4.7	3.0	5.2	0.0	18.6	2.4	9.0	-
18-19	1	4.0	3.8	1.7	2.0	5.4	23.2	6.3	10.0	1.0	9.5	1.7	0.6	9.5	9.0	-
19-20	15.4	1.5	4.3	3.0	5.7	12.3	11.0	18.6	13.7	1.8	10.1	0.3	12.0	4.0	2.5	-
20-21	5.	2.6	6.9	3.5	10.5	14.8	20.6	12.5	4.6	6.7	6.5	15.5	4.0	23.0	1.7	-
21-22	0.6	4.2	0.5	11.7	-	0	4.0	4.8	11.3	1.8	11.8	13.0	4.5	16.7	9.4	-
22-23	2.5	3.6	2.0	7.8	6.3	14.2	6.7	39.0	3.2	1.5	10.0	16.5	-	21.3	19.5	-
23-24	3.5	8.4	13.0	7.5	4.5	-	2.0	0.0	1.0	7.5	3.0	2.2	1.0	7.2	1.0	-

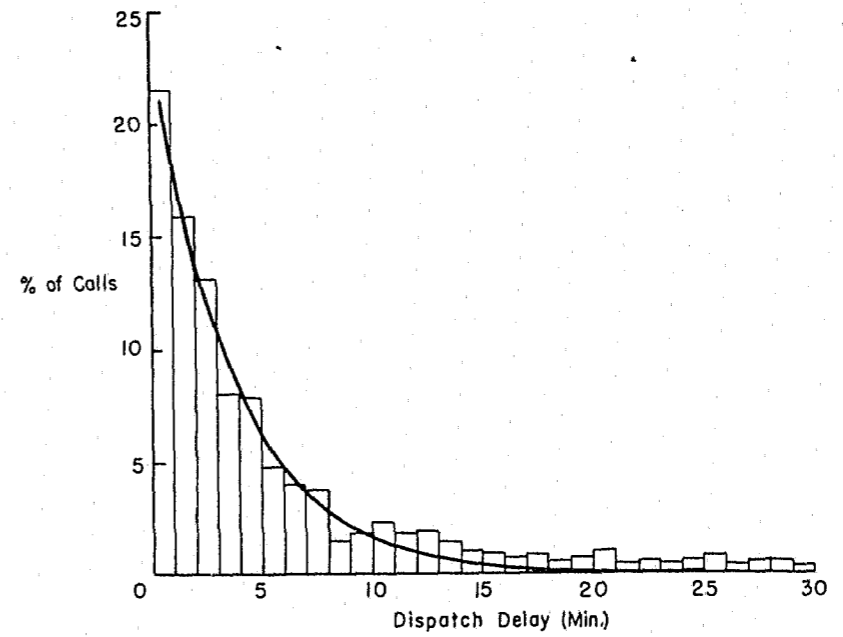


Fig. 11. Dispatch delay, D , or time taken from receipt of a call for service to dispatch of a car, including waiting time (or queuing time). The longest delays are for calls to which dispatch was postponed. A negative exponential has been fitted to the data, with the equation $\%C = 24.1 \exp(-0.265 D)$.

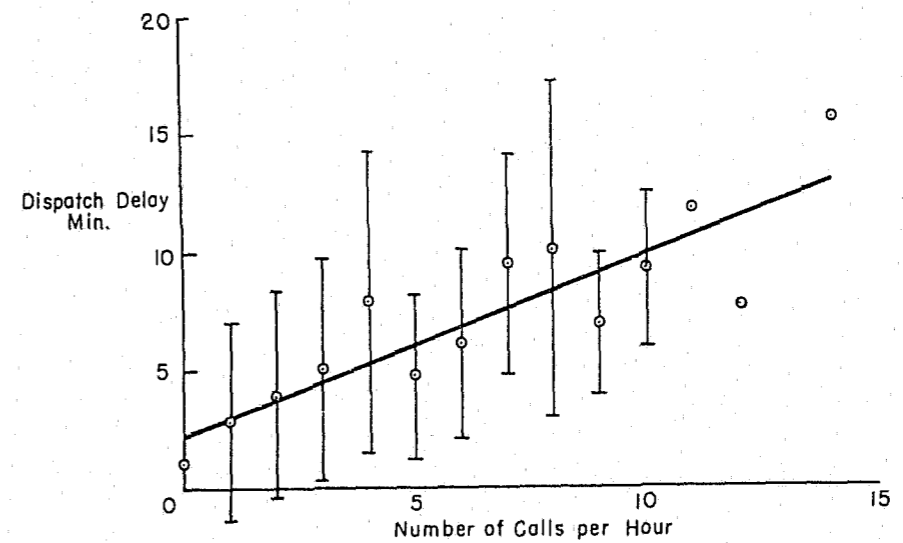


Fig. 12. Dispatch delay, D , as a function of number of calls per hour, N . The data of Tables IV and V were used to determine the average dispatch delay indicated by small circles. Where enough data were available the standard deviation was calculated, and is indicated by vertical bars. A straight line was fitted to the average values of D with the equation $D = 2.20 + 0.78 N$.

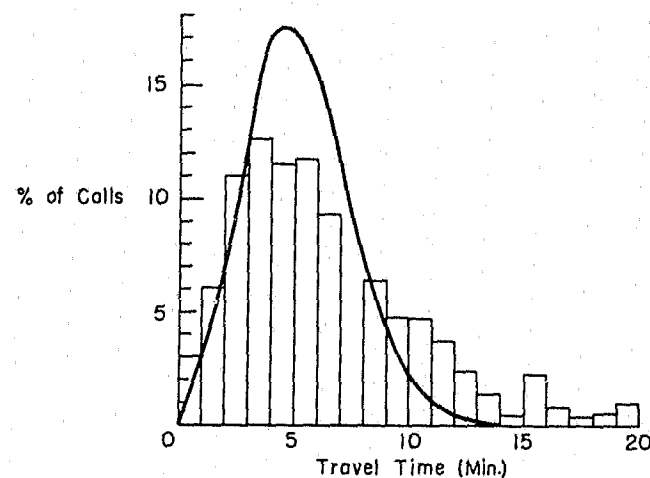


Fig. 13. Travel time, T , or time taken from dispatch of a car to arrival at the scene of the call. Experimental data are shown as a histogram, to which a Poisson distribution has been fitted, with the equation $\%C = T^a e^{-a} / T!$ where $a = 5.22$.

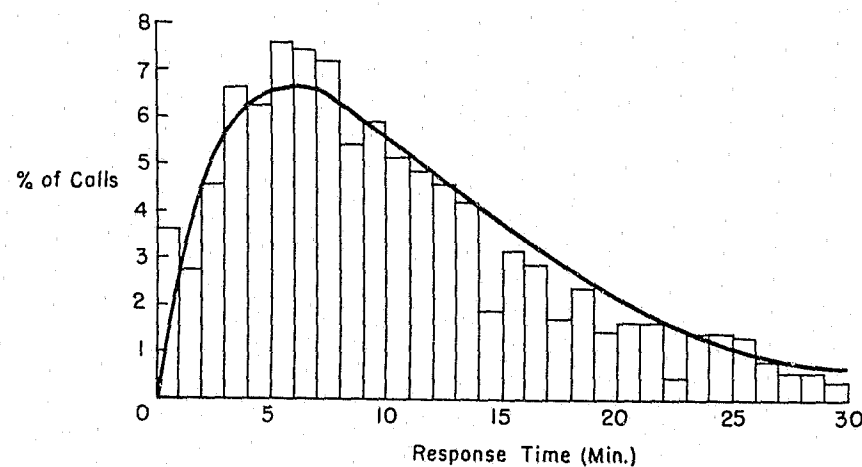


Fig. 14. Response time, R , or time taken from receipt of a call to arrival at the scene. In principle response time is the sum of dispatch delay plus travel time. The curve fitted to the experimental data shown in the histogram is a sum of exponentials, with the equation $\%C = a \exp(bR) / (1 - \exp(-bR))$ with $a = 0.264$ and $b = 0.115$.

Service times (from arrival at the scene to return to patrol) are shown in Fig. 15. As before the data are shown as a histogram and a curve has been fitted, in this case a negative exponential.

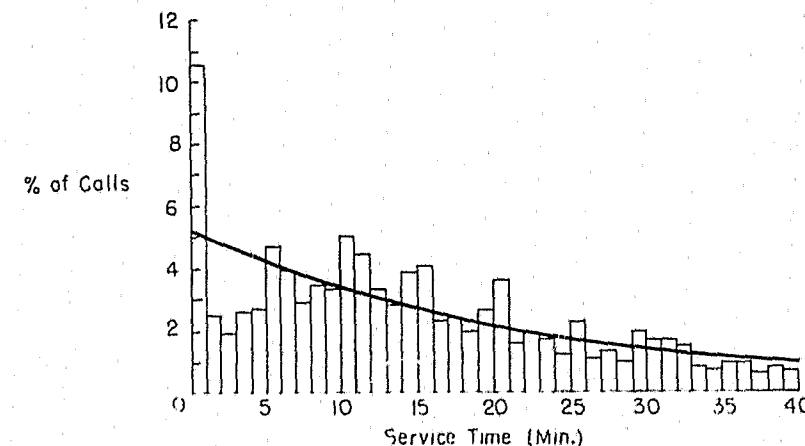


Fig. 15. Service time, S , or time spent at the scene of the call. A negative exponential has been fitted to the data, with the equation $\%C = 5.17 \exp(-0.425 S)$.

The curves fitted to the travel times, response times, and service times are of the same form as those for the Ottawa Police Force (4).

Division into Atoms

During the data taking period, a large map of Burnaby was divided into atoms with the assistance of experienced officers. A master atom map was drawn, digitized and later redrawn on a convenient scale using a computer-controlled plotter for use in recording data and in arranging zones as shown in Fig. 6. Another version of the atom map was prepared by drawing atom boundaries and numbers on a map published by the Burnaby Planning Department. A section of this map is shown in Fig. 16. It was photographed in a copying camera to give an 8 x 10 inch negative, and from this negative two enlargements approximately 22 x 30 inches and 40 x 54 inches were produced on Kodagraph film. The enlargements may be used to produce inexpensive Ozalid prints for keeping records and planning.

Computer Summary of Data

The data on all calls were keypunched and run through a program which summarized all types of occurrences atom by atom for the experimental period. A portion of the computer printout is given in Fig. 17. Such a table can be produced periodically for management purposes if the data are regularly keypunched.

TABLE VII. Input data and strategies for simulations

Number of atoms	368
Number of zones	
Number of patrol cars	
Number of priorities	3
Abbreviations	P1, P2, P3
Priority Distribution (based on analysis of calls for service)	P1 - 15% of all calls P2 - 45% of all calls P3 - 40% of all calls

Preemption rules and distances:

A car may be preempted from a call, reassigned to a queued call or assigned from patrol if the priority of the arriving call is high enough and if the car is within a certain distance of the call. The distances for the three priorities are as follows:

Priority	Type of Dispatch		
	Preemption	Reassignment	Assignment
P1	4.0 miles	4.0 miles	4.0 miles
P2	4.0 miles	3.0 miles	4.0 miles
P3	4.0 miles	2.0 miles	4.0 miles

Service time per call, excluding travel time, minutes

Priority	Service time per call, excluding travel time, minutes		
	Average	Maximum	Minimum
P1	5	25	0
P2	10	50	0
P3	15	75	1

Types of strategy used in assigning cars :

- 1A. Municipality assignment (D)
- 1B. District assignment (for 6 zone arrangements) (D)
- 2. Zone assignment (Z)

Types of strategy used in assigning queued calls:

- 1. Closest waiting call (CWC)
- 2. First come first served (FCFS)

Relative rate of calls - calculated from Table III.
Average speed of car - 22.0 mph for all priorities.

Zones

Four basic arrangements of zones were used. The first, shown in Fig. 6, included 8 zones as used by the force during the data-taking period of March 1974 and is labeled D1974. These zones were used with 1, 2 or 3 cars per zone.

The next set of zones, shown in Fig. 18, included 4 zones labeled JNO4Z1 and were used with 1, 2, or 4 cars per zone.

The next set of zones, shown in Fig. 19, divided the municipality into six zones labeled AD6Z1. These zones could in turn be divided into two sets of two districts. In the first pair of districts, called AD6Z2A, zones 1, 2, and 3 were combined to form District 1 and zones 4, 5, and 6 were combined to form District 2. In the second pair of districts, called AD6Z2B, zones 1, 5, and 6 were combined to form District 1 while zones 2, 3, and 4 were combined to form District 2. In the AD6Z2A and AD6Z2B zones dispatch could either be confined within a zone (Z) or confined to a district (D). Each zone was patrolled by 1, 2, or 3 cars.

The final set of zones, shown in Fig. 20, included 8 zones with nearly equal workloads labeled FL8Z1. They were used with 1, 2, or 3 cars per zone.

Set of Simulations

Simulations were run with different combinations of variable as follows:

- Number of calls per hour - 1.875; 3.75; 7.5; 15; 30; 60
- Assignment and reassignment strategies* - DCWC; DFCFS; ZCWC; ZFCFS
- Types of zones - JNO4Z1; AD6Z1; AD6Z2A; AD6Z2B; D1974; FL8Z1
- Total number of cars - 4, 6, 8, 12, 16, 18, 24.

A total of 324 simulations were made, as illustrated in Table VIII.

* D - district dispatch, in which a car may be dispatched out of its zone to another if no car is available in the second zone.

Z - zone dispatch, in which a car may be dispatched only to calls within its own zone.

CWC - closest waiting call reassignment, in which a car completing a call is reassigned to the closest waiting call (if any) in queue.

FCFS - first come first served reassignment, in which a car completing a call is reassigned to the first call (if any) in queue.

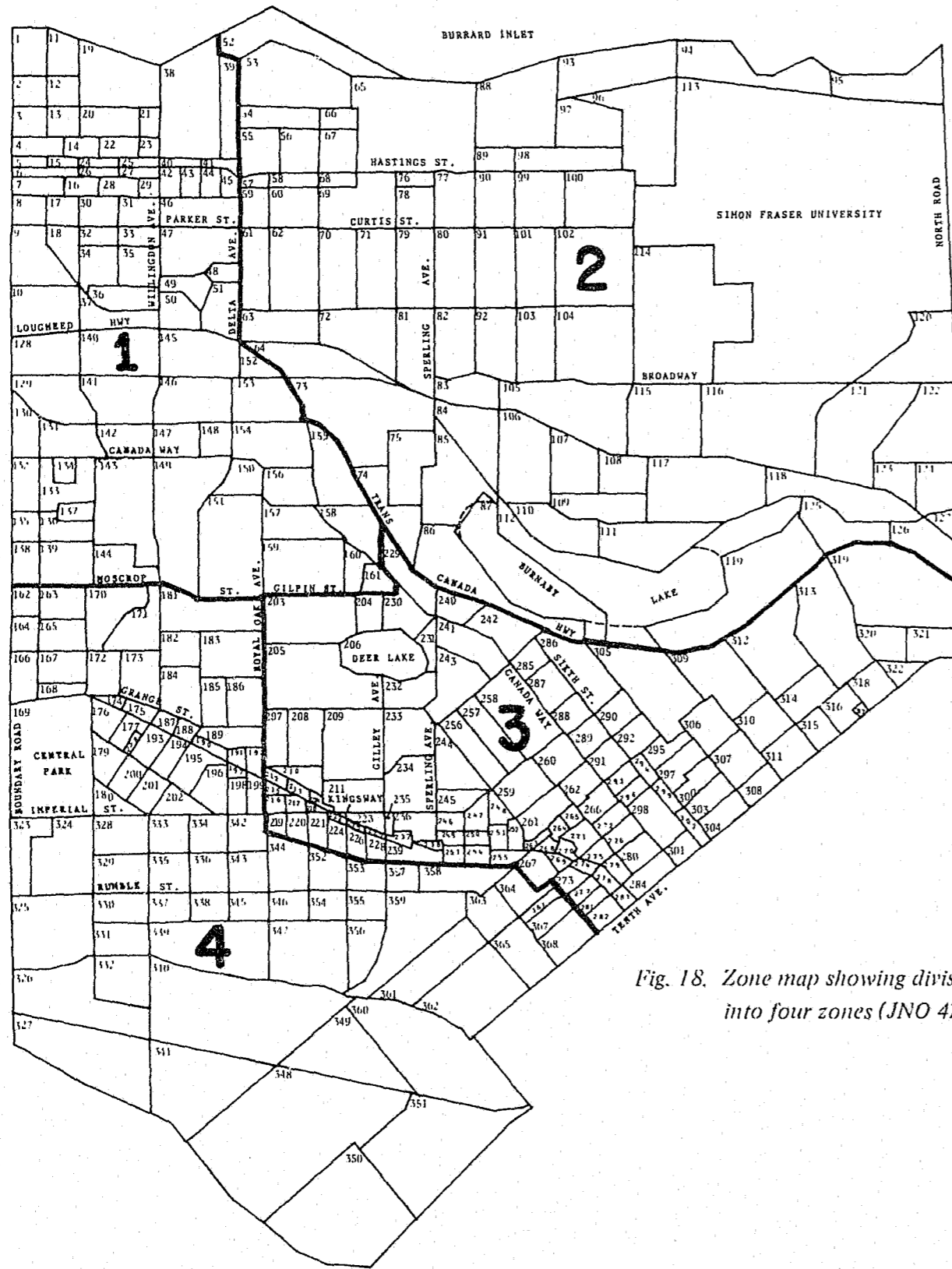


Fig. 18. Zone map showing division into four zones (JNO 4Z1).

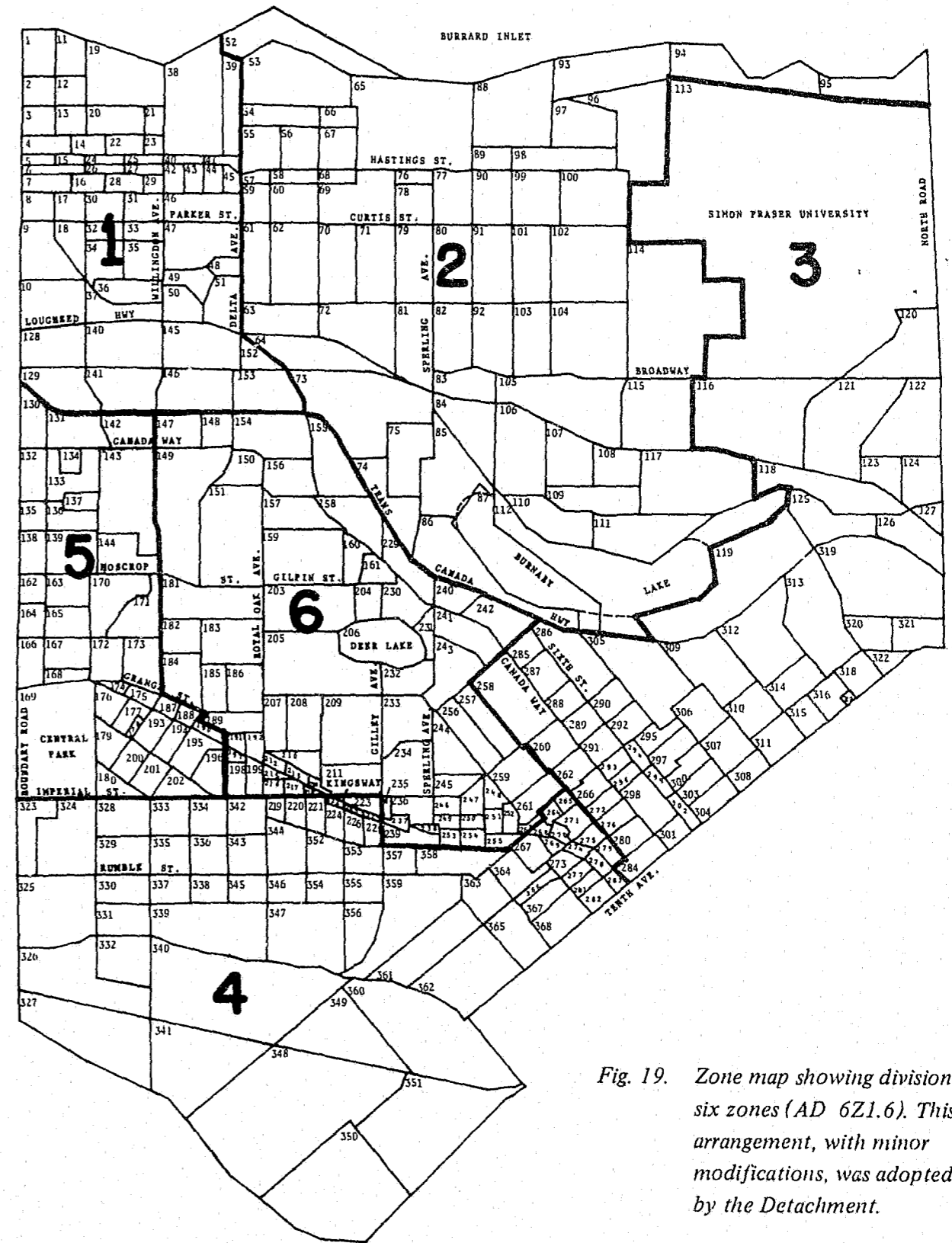


Fig. 19. Zone map showing division into six zones (AD 6Z1.6). This arrangement, with minor modifications, was adopted by the Detachment.

Computer Programs

The computer programs were written for Fortran IV and run on the National Research Council's time sharing computer (IBM 360 Model 67). The simulation programs were those used for Gloucester (2) with minor modifications. Four areas of programming were involved in the project: plotting, data analysis, data preparation and simulation.

The atom maps were digitized and plotted on scales ranging from 8 1/2" x 11" to 36" x 36". The former were used for zone maps (Figs. 18-20) while the latter were used in redesigning zones by considering percentage rates of calls assigned to each atom.

In the analysis of the data there were approximately 1500 data cards. Three programs were written for the analysis. The first sorted the occurrences atom by atom. (It will be recalled that Burnaby was divided into 368 atoms and 100 different types of occurrences were listed (Table I and Fig. 17)). The second program was a statistical routine that grouped data such as communication center delay time, travel time, and service times by shift and by day, including calculations of means and standard deviations (Figs. 11-15). The third program was used on the grouped data to produce the various fitted curves. A least squares, nonlinear regression package called MARQRT (Marquardt) was used for this purpose (5).

The data preparation was the most exacting part of the study. Since the data base included only two weeks of data during March 1974 it was found that certain atoms had no occurrences. In the program this would always result in no calls to this atom. It was therefore decided to add one occurrence to each atom. Work maps were prepared with the adjusted rates and the data base was calculated as described in the following example. Zone 1 included 51 atoms and received 198 calls for service during the experimental period, which was 13.84% of the total calls. These calls were adjusted as shown in Table IX and the resulting value was used to calculate the zone normalization factor, ZNF, from the formula $ZNF = \% \text{ calls} / \Sigma(\text{ANC} \times \text{NA}) = 13.84/249 = 0.0556$. The percentage rates of calls were then calculated. The results for Zone 1 are shown in Fig. 21.

The simulation requires a three-priority distribution for each atom. For the present work the occurrences (Table I) were divided into three priorities and the percentage of occurrences of each priority was calculated. They were 15% priority one, 45% priority two and 40% priority three.

In contrast to the Gloucester study (2) it was decided to calculate the center of mass (centroid) for each atom and to use it as input data. This was done to reduce computer time since there were more than three times as many atoms in Burnaby as in Gloucester. Up to three cars per zone were used in Burnaby while in Gloucester only one was used.

All 324 simulations were done in one day during a weekend when the computer was lightly loaded. Nine hours of central processing unit time were used. This was cheap and fast. Three input data sets were used in each simulation run. The first was the basic

TABLE IX. Calculation of zone normalization factor, ZNF, and percentage rates of calls for Zone 1, Fig. 6.

No. of calls N	Adjusted No. of calls ANC	No. of atoms NA	Product (ANC)NA	Percentage Rate of calls (ANC) (ZNF)
0	1	8	8	0.0556
1	2	8	16	0.1112
2	3	8	24	0.1668
3	4	9	36	0.2224
4	5	4	20	0.2780
5	6	3	18	0.3336
6	7	3	21	0.3892
7	8	1	8	0.4448
8	9	2	18	0.5004
11	12	2	24	0.6672
12	13	1	13	0.7228
18	19	1	19	0.0564
23	24	1	24	1.3344
		<u>51</u>	<u>249</u>	

$$ZNF = 13.84/249 = 0.0556$$

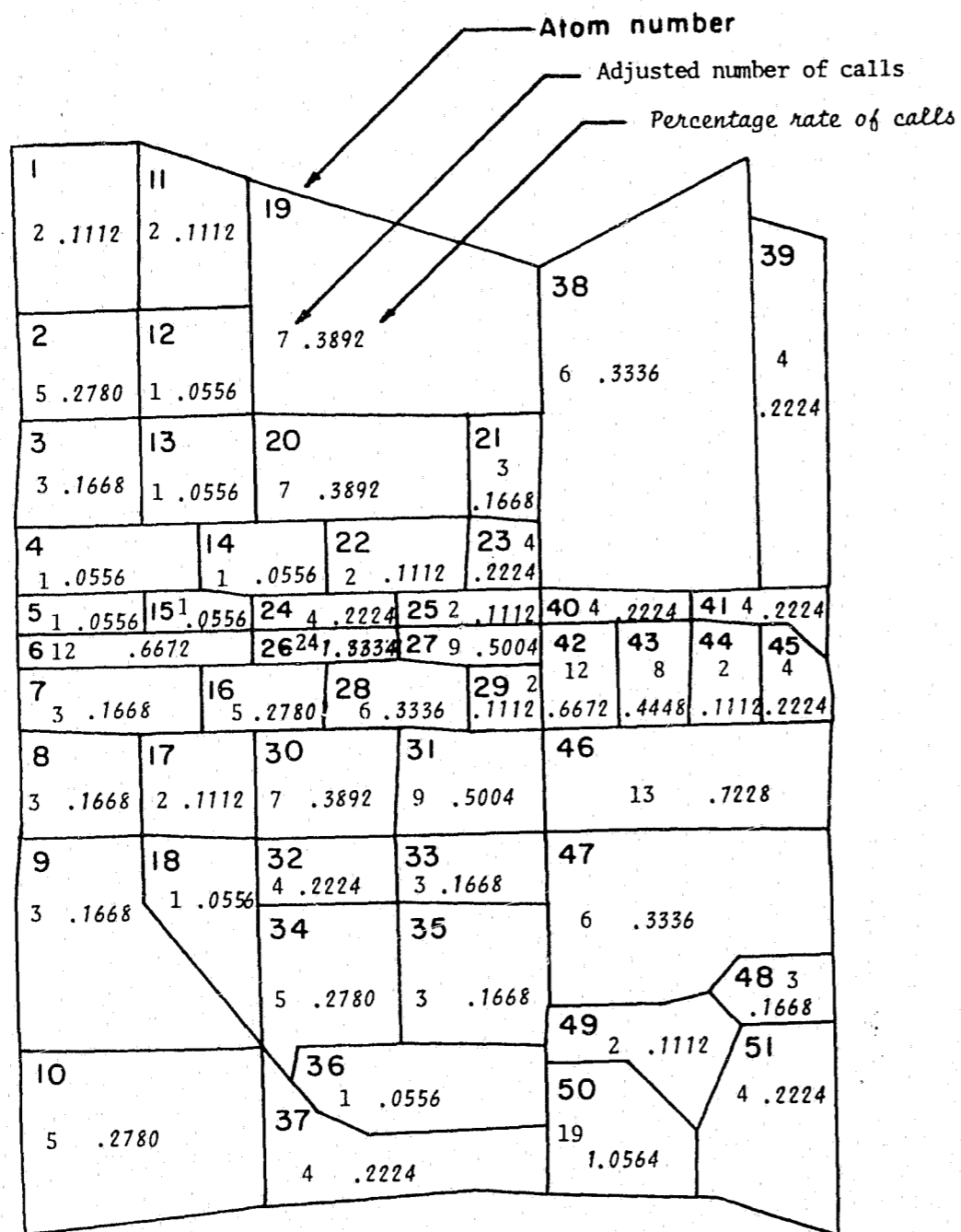


Fig. 21. Atom map of Zone 1, D1974 (Fig. 6) showing atom number, adjusted number of calls and percentage rate of calls as calculated in Table VIII.

geographical information, the second the zone configurations for the run and the third contained the rate of calls and strategies (Table VII). There were one geographical, 18 zone, and 18 rate datasets for a total of 37. The three datasets required 16, 4, and 1 pages respectively of storage (4096 bytes/page).

The simulation package contained the main program along with 15 subroutines. It required 73 pages of storage. (Source deck contains approximately 2000 cards.) The average simulation took approximately two minutes of central processing unit time.

Output Data

Each computer printout included the initial positions of the cars and final statistics. For some simulations call-by-call details were printed. An example is given in Fig. 22. They included the following:

- Time, number and priority of call
- Location of call - zone, atom, x- and y-coordinates
- Identity of car sent
- Travel time and service time
- Status for force - No. of cars on patrol
- No. of cars on call
- Number of calls in queue - P1, P2 and P3
- Remarks

The final statistics included the following:

- Duration of simulation until number of calls in queue reached 100, if applicable (saturation)
- Number of calls being serviced at the end of the simulation
- Number of calls in P1 queue at the end of the simulation
- Number of calls in P2 queue at the end of the simulation
- Number of calls in P3 queue at the end of the simulation
- Number of P2 calls preempted
- Number of P3 calls preempted
- Number of hours used to travel to calls
- Number of hours used to service calls
- Number of car hours in the simulation
- Percentage of time available for preventive patrol
- Hours of preventive patrol time available per 8 hour shift
- Percentage of calls placed in queue
- Number of calls placed in queue
- Maximum number of calls in queue simultaneously
- Maximum number of cars simultaneously on call
- Average service time, with standard deviation and distribution by zone and priority
- Workload (number of calls per 8 hour shift) by priority and car, with histogram
- Average travel time, with standard deviation and distribution, by zone.
- Average number of calls in queue, with standard deviation and distribution, by zone and priority
- Number and percentage of calls per car, all priorities, with histogram
- Response time by car, all priorities

An example of a table and histogram printed out by the computer are given in Fig. 23.

INITIAL POSITIONS OF PATROL CARS

CAR NO.	STATUS	X MILES	Y MILES	LOCATION	CAR NO.	MINS TO REACH	SERV TIME	STATUS OF VEHICLES ON CALL	CALLS IN QUEUE	REMARKS
101	P	0.893	7.558	302	302	1.82		11	1	CAR SENT
102	P	1.350	5.723	401	401	1.62		10	2	CAR SENT
201	P	2.388	4.724	202	202	2.95		9	3	OUTSIDE CARS AREA
202	P	1.070	5.847	101	101	0.92		8	4	CAR SENT
301	P	5.359	6.544	502	502	1.86		7	5	OUTSIDE CARS AREA
302	P	4.089	2.918	602	602	3.97		7	5	CAR SENT
401	P	0.020	2.129	102	102	1.42		7	5	CALL ENDED
402	P	1.685	2.512	302	302	2.43	3.8	8	4	CAR ON PATROL
403	P	0.427	4.408	301	301	2.82		7	5	CAR SENT
404	P	0.688	2.928	201	201	4.39		6	6	CAR SENT
405	P	0.968	4.883	401	401	2.70	6.0	6	6	CALL ENDED
406	P	2.939	3.099	202	202	1.34		7	5	CAR ON PATROL
407	P			101	101	0.82		7	5	PRE-EMPTION
408	P			101	101	0.82		6	6	CAR SENT
409	P			401	401	0.93		6	6	OUTSIDE CARS AREA
410	P			101	101	0.45		5	7	CAR SENT
411	P			502	502	1.48		4	8	OUTSIDE CARS AREA
412	P			502	502	1.42		4	8	CAR SENT
413	P			502	502	1.04		4	8	OUTSIDE CARS AREA
414	P			402	402	1.42		3	10	CAR SENT
415	P			402	402	0.89		2	10	OUTSIDE CARS AREA
416	P			201	201	0.7		1	11	CAR SENT
417	P			501	501	0.19		0	12	OUTSIDE CARS AREA
418	P			201	201	0.97		0	12	PRE-EMPTION
419	P			201	201	2.58	9.4	0	12	CAR SENT
420	P			201	201	0.7		0	12	CALL ENDED
421	P			502	502	0.34		0	12	QUEUE SERVICED
422	P			502	502	1.04		0	12	CALL ENTERS QUEUE
423	P			502	502	0.66		0	12	PRE-EMPTION
424	P			101	101	0.42	9.4	0	12	CAR SENT
425	P			101	101	0.97		0	12	CALL ENDED
426	P			401	401	0.7	7.5	0	12	QUEUE SERVICED
427	P			401	401	1.04		0	12	CALL ENDED
428	P			502	502	0.74	0.5	0	12	QUEUE SERVICED
429	P			502	502	2.10		0	12	CALL ENTERS QUEUE
430	P			602	602	2.30	17.8	0	12	CALL ENDED
431	P			101	101	0.55		1	11	CALL ENDED
432	P			301	301	5.45	12.7	2	10	CAR ON PATROL
433	P			102	102	0.85	5.2	3	9	CALL ENDED
434	P			102	102	1.42		2	10	CAR ON PATROL
435	P			101	101	1.03		1	11	QUEUE SERVICED
436	P			601	601	1.10		0	11	OUTSIDE CARS AREA
437	P			602	602	2.72		0	12	PRE-EMPTION
438	P			402	402	2.30		0	11	CAR SENT
439	P			402	402	3.59	7.5	1	11	CALL ENDED
440	P			601	601	1.10		1	11	QUEUE SERVICED
441	P			601	601	1.10		1	11	OUTSIDE CARS AREA
442	P			201	201	2.72		0	12	CAR SENT
443	P			101	101	0.74		0	12	CALL ENTERS QUEUE
444	P			302	302	2.30		0	12	CALL ENDED
445	P			202	202	2.72	7.4	0	12	QUEUE SERVICED
446	P			202	202	4.12		0	12	OUTSIDE CARS AREA
447	P			170	101	4.30		0	12	CAR SENT
448	P			101	101	1.07		0	12	OUTSIDE CARS AREA
449	P			101	101	0.73		0	12	PRE-EMPTION
450	P			402	402	4.17	4.7	0	12	CAR SENT
451	P			402	402	1.44		1	11	CALL ENDED
452	P			201	201	2.72		0	12	CAR ON PATROL
453	P			401	401	0.92		0	12	QUEUE SERVICED
454	P			202	202	3.04		0	12	CALL ENTERS QUEUE
455	P			202	202	3.68		0	12	CALL ENTERS QUEUE

Fig. 22. Portion of a computer printout giving initial positions of patrol cars and call by call details of patrol operations. This simulation was with AD6Z1.12 zones, 60 calls per hour and DFCS strategy.

ALL PRIORITIES

* DISTRIBUTION OF CALLS / ZONE *

ZONE NO.	NO. OF CALLS	PERCENT
101	40	10.93
102	31	8.47
201	29	7.92
202	30	10.39
301	17	4.64
302	26	7.10
401	25	6.83
402	46	12.57
501	16	4.37
502	37	10.11
601	25	6.83
602	36	9.84
TOTAL	366	100.00 %

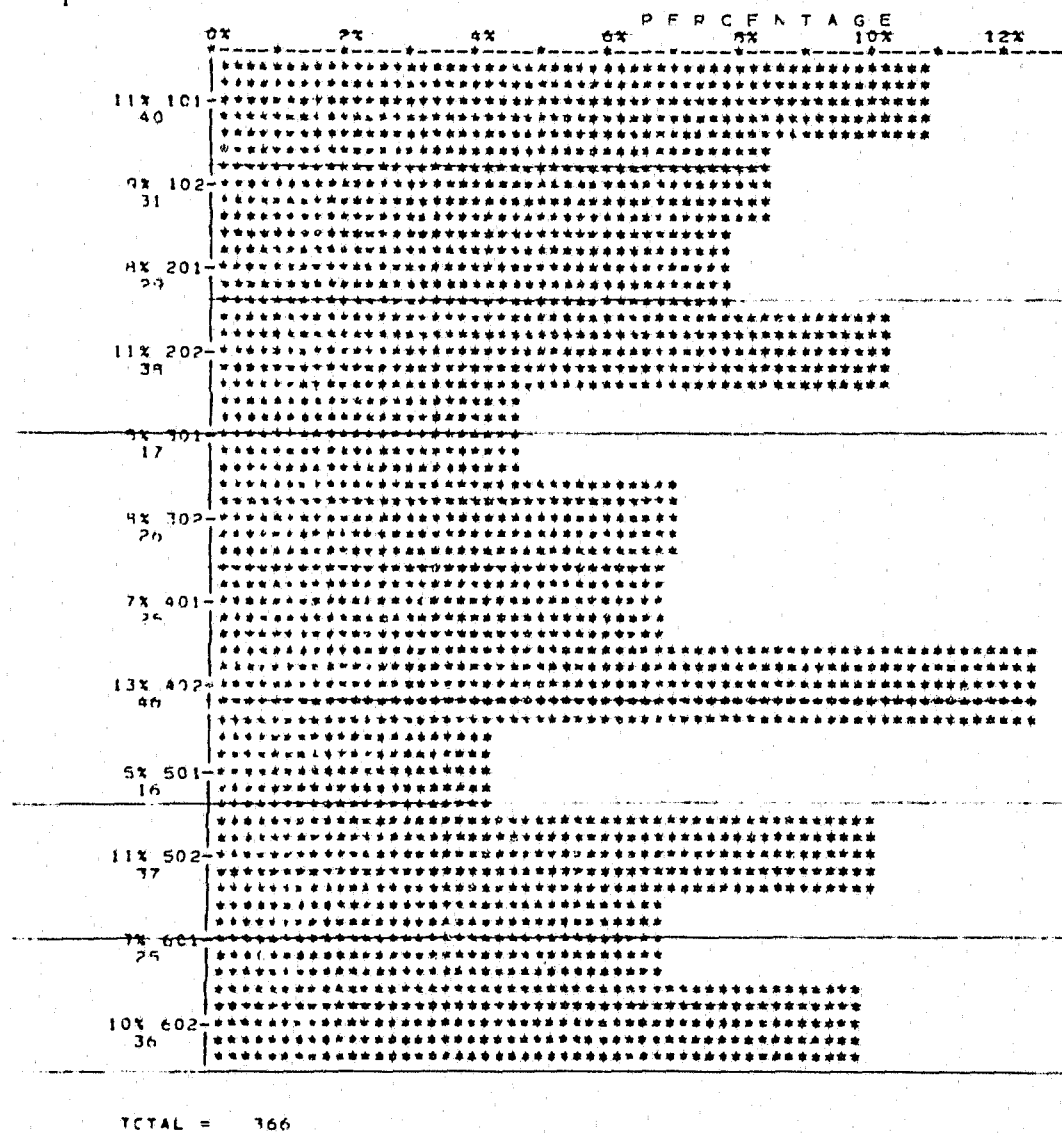


Fig. 23. Portion of a computer printout giving a table and histogram of calls per zone for the same simulation as Fig. 22.

IV. RESULTS OF SIMULATIONS

Main Results

Response Time

One of the criteria for evaluating patrol operations is the response time, which is defined as the elapsed time from receipt of a call for service (normally a telephone call) to the time a patrol car arrives on the scene. Response time includes dispatch delay (the time from initial police contact until an available unit is dispatched), queuing time (if there are no available cars), and travel time (the time taken to travel from the unit's initial position to the scene of the call for service). The response times deduced for Burnaby are shown in Figs. 24 and 25. In both diagrams the dispatch delay has been fixed at 3/4 minute, a time which might be changed as a result of more accurate measurements or an improved communications system. The response time is to a large extent dependent on the average number of calls received per hour and on the number of cars on duty.

If very few calls are being received (0-3 per hour), the response time depends mainly on travel time. With four cars on duty the response time would average about 5.5 minutes, while with 16-24 cars it would average about 3 minutes. As N (the average number of calls per hour) increases, the response time increases. If only four cars are available it soon becomes necessary to place calls in queue and the response time rapidly becomes unacceptably long. If 24 cars are on duty the response time increases only from 3 minutes to 5 minutes as N goes from 0 to 30 calls per hour. The practical application of these results is to help decide how many cars to place on duty. This is discussed in section V.

In Fig. 25 the response time is shown plotted against the average time between calls, ΔT . This method shows clearly the onset of saturation for different numbers of cars, that is, the onset of long queuing times leading to unacceptably long response times. For 4 cars, ΔT for the onset of saturation is about 10 minutes, or $N = 60/\Delta T = 6$ per hour, while for 24 cars, the onset is at about $\Delta T = 2.5$ minutes or $N = 24$ per hour.

It should be noted that the district dispatch and CWC reassignment invariably give the shortest response times. Figs. 24 and 25 and subsequent figures have therefore been plotted only for the DCWC strategy.

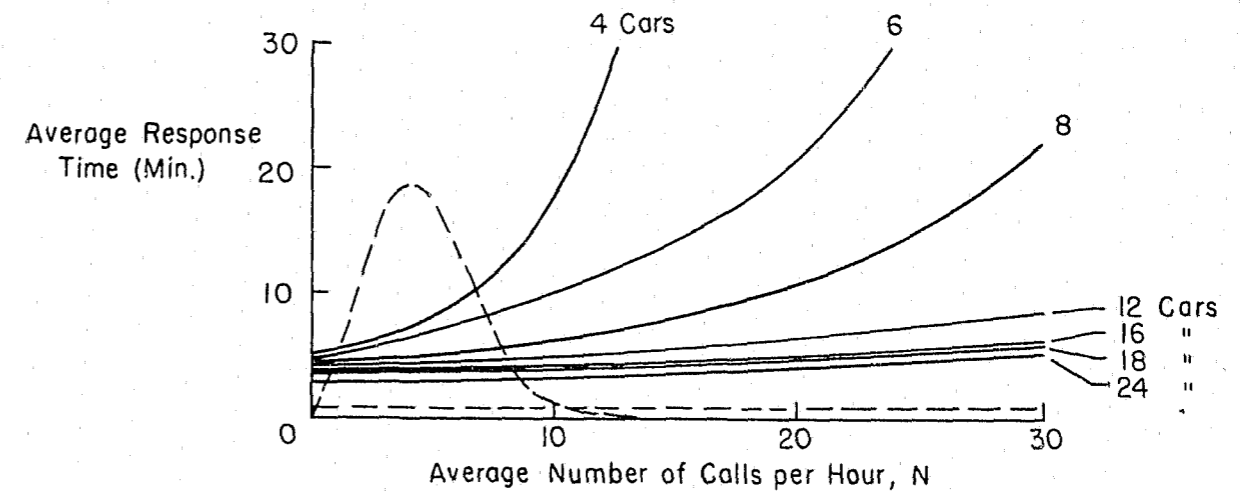


Fig. 24. Response times deduced from simulations. The distribution of calls per hour from Fig. 10 has been added as a dashed curve. The dispatch delay has been set at 3/4 minute, shown by a dashed straight line.

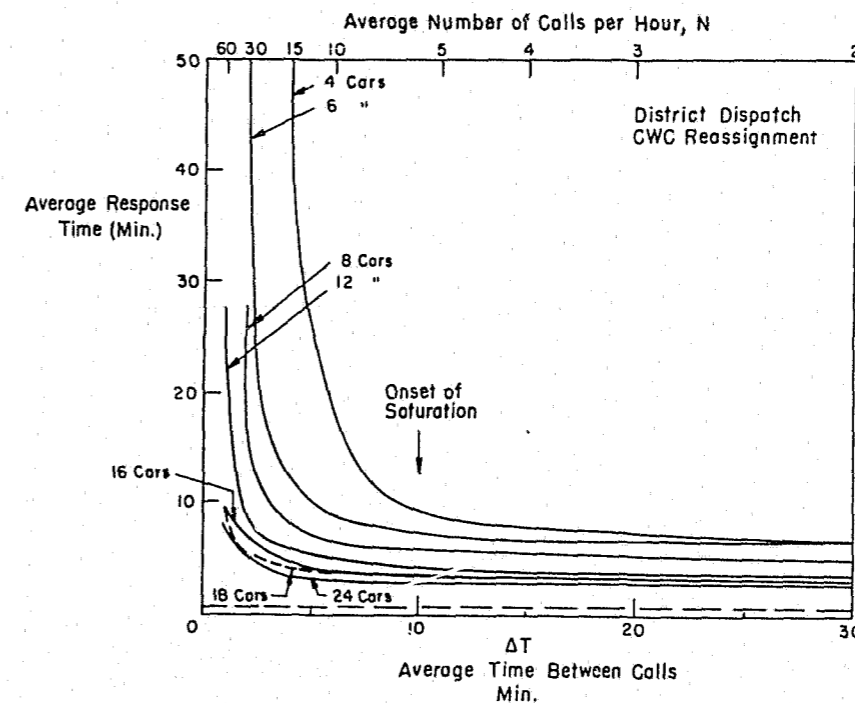


Fig. 25. Average response time as a function of average time between calls. The same data were used as for Fig. 24. The onset of saturation for 4 cars is shown.

Travel Time

The average travel time taken from the simulation is shown in Fig. 26, fitted with a negative exponential curve. It varies from a little over 2 minutes with 24 cars to over 4 minutes with 4 cars. These times are lower than would be expected from the times taken from log sheets shown in Fig. 13. Probably the average speed of 22 mph (taken from data for the Ottawa Police Force) used in the simulations should have been lower. An important point is that increasing the number of cars from 4 to 16 only reduces the average travel time by about 1 1/2 minutes. This indicates that when forecasting the number of cars to be put into operation the possibility of waiting in a queue is more important for response times than travel time.

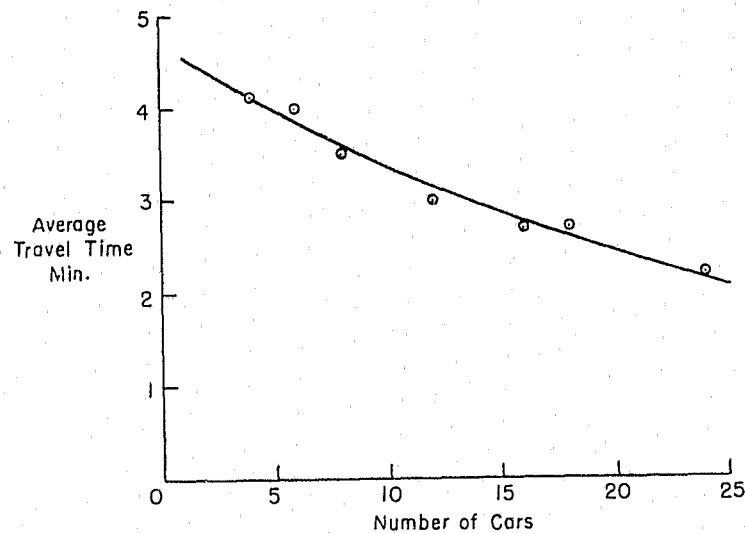


Fig. 26. Average travel time, T , taken from simulations. The times shown are short in comparison with times found during the data-taking session, shown in Fig. 13. See text for discussion. A negative exponential has been fitted to the circled points, with the equation $T = 4.666 \exp(-.03255C)$ where C = the number of cars.

Workload (calls per 8 hour shift)

The workloads taken from the simulations are shown plotted on a graph in Fig. 27. The use of this graph is less straightforward than for Fig. 24, but may be illustrated by an example. The average workload for 13-28 March 1974, calculated from the data shown in Fig. 5, was 4.25 calls per 8 hours. A horizontal dashed line representing this workload has been drawn on Fig. 27, and from it we see that in a 4-car force each car would have a workload of 4.25 calls per shift with an average of 2.2 calls per hour; an 8-car force would have this workload with 4.25 calls per hour; a 16-car force with 8.4 calls per hour; and a 24-car force with 12.6 calls per hour.

It should be recalled that these workloads are deduced from simulations in which the average service time ranged from 5 to 15 minutes (Table VII). In very busy times (large N) there might be a tendency to reduce service times so that larger workloads could more readily be dealt with. The workloads deduced from Fig. 27 should therefore be regarded as applying best to quiet times.

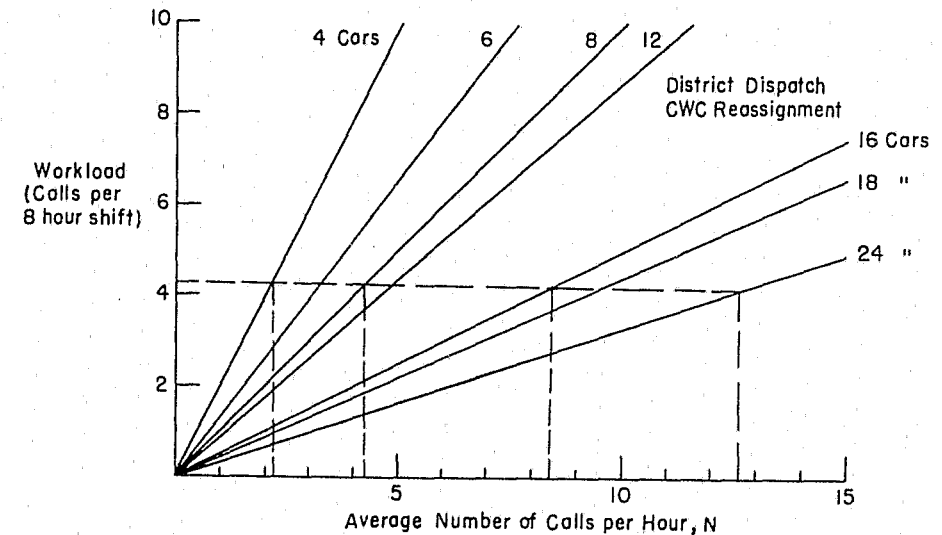


Fig. 27. Workloads as a function of average number of calls per hour and number of cars. The dashed lines are for an example discussed in the text.

Preventive Patrol Time

Preventive patrol time is defined here as time not occupied in traveling to a call or servicing it. This time is therefore available for preventive activities such as examining closed stores for signs of break-ins, zone familiarization, community interaction, administrative calls and so on. Clearly some balance between time spent on calls and on preventive patrol time must be found. The percentage of patrol time available during a shift is shown in Fig. 28. If no calls are received all time is available for preventive patrol, so all curves join at 100% and zero calls. As the number of calls per hour increases, a 4-car force rapidly becomes fully occupied so that at about 15 calls per hour it has no time available for patrol. At this rate of calls a 16-car force, on the other hand, has about 75% of its time available for preventive patrol. The number of hours available for preventive patrol during an 8-hour shift is shown in Fig. 29. Using the same example of about 15 calls per hour, we see that while a 4-car force would have no preventive patrol time available during an 8-hour shift, a 16-car force would have 98 hours. Selecting the optimum time required, and thus the optimum number of cars, is therefore a management decision.

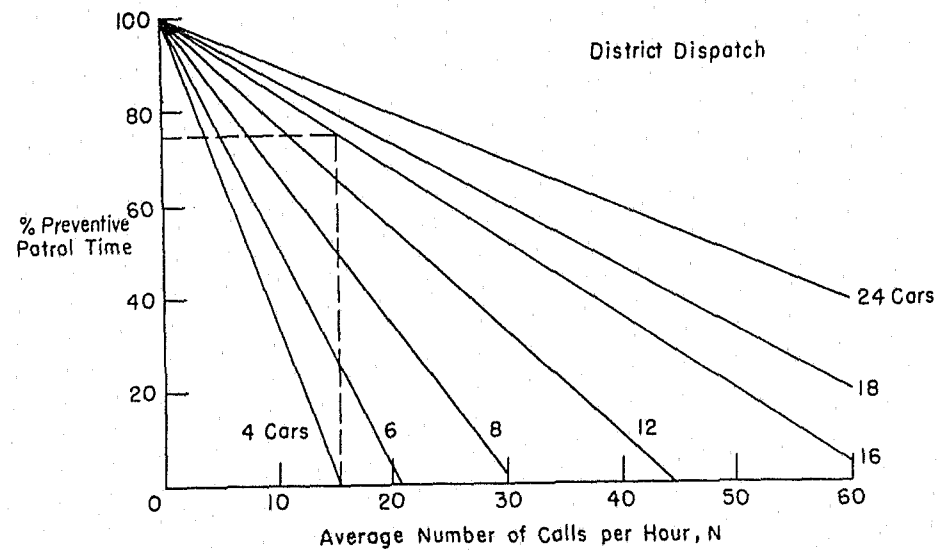


Fig. 28. Percentage of time available for preventive patrol. The dashed lines are for an example discussed in the text. Formulae for the curves are given in Section V.

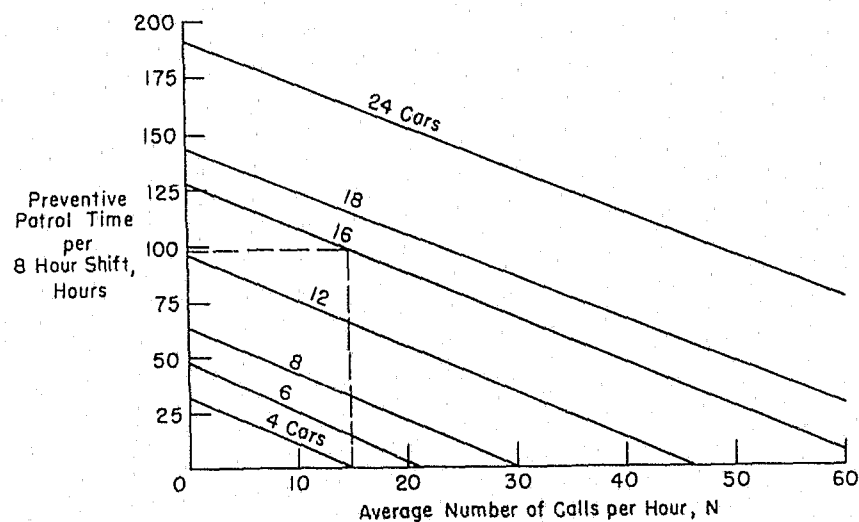


Fig. 29. Preventive patrol time per 8 hour shift. The dashed lines are for an example discussed in the text. Formulae for the curves are given in Section V.

Related Results

Queues

When the number of calls per hour is high there may not be enough cars on patrol to answer each call as it is received. It is therefore necessary to form a queue of calls waiting for service. The number of calls placed in queue directly affects the period of time before the arrival of police service, a delay to which the caller is sensitive and of which the force must be aware. The situation for Burnaby deduced from the simulations is shown in Figs. 30 and 31 and Table VIII and IX. In Fig. 30 the percentage of calls placed in queue is shown. With 4-8 cars on patrol the percentage of calls placed in queue rises rapidly, while with 12-24 cars on patrol the percentage in queue is reasonable for the highest numbers of calls likely to be received. The average wait in queue before dispatch of a car is shown in Fig. 31. Some examples will show the effect of wait in queue as a criterion for choosing the number of cars. Suppose a 10-minute wait is chosen for low-priority calls. Then if 10 calls per hour are expected a 4-car force would be satisfactory; 20 calls per hour would require an 8-car force; and 30 calls per hour about an 11-car force. However if a 3-minute wait was considered the maximum then at 10 calls per hour a 7-car force would be required; at 20 calls per hour, 12 cars; and at 30 calls per hour 17 cars.

The average number of calls in queue is shown in Table VIII and the maximum number of calls in queue in Table X. These results were taken directly from the simulations. As would be expected the number of calls in queue is zero or small for low average calls per hour but increases rapidly for up to 8 cars when the number of calls becomes high.

Saturation

If a certain number of cars are on patrol and the number of calls per hour becomes unexpectedly large the officers would be unable to handle the calls promptly, with long waiting times resulting. As an extreme example of this, suppose that 4 cars are on patrol and that 20 calls per hour start to arrive. Many of the calls could not be handled and would enter a queue to wait for service. (The most serious calls would be serviced first). Response times would become increasingly long and the force could be said to be in "saturation", or no longer able to handle incoming calls. From the simulations it was possible to predict the time at which Burnaby operations would become saturated. This was done by inspection of Fig. 25. The "onset of saturation" was estimated for each curve, and the results were plotted in a graph shown in Fig. 32. From the graph Table XI was prepared, showing the onset of saturation for various numbers of cars. Table XI may be used in planning patrol operations.

Another interpretation of saturation may be made from the simulations, which allow "operation" of the force under conditions which would or should never be encountered in reality. One such condition is to "operate" with so few cars and so many calls that it would be impossible to answer the calls in a reasonable time. In the simulations this was defined as having 100 calls in queue. The computer was programmed to stop the simulation if this

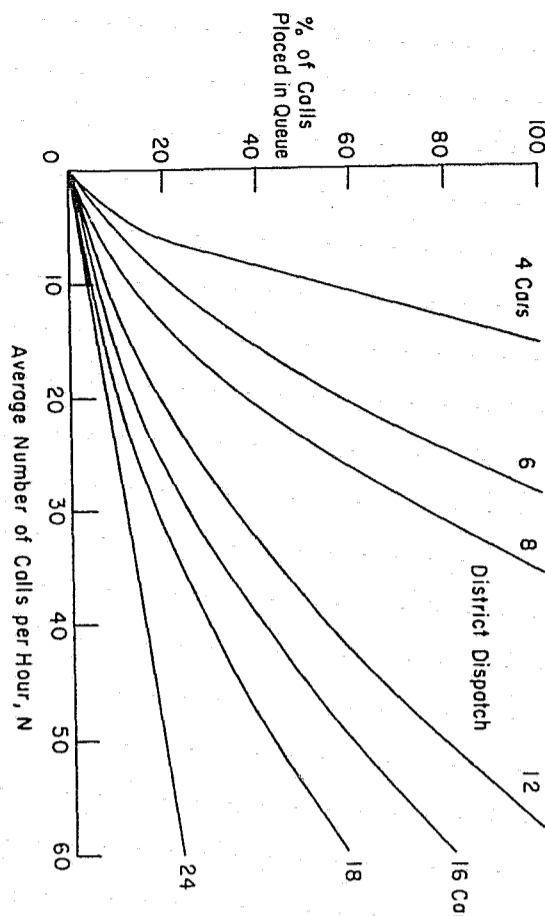


Fig. 30. Percentage of calls for service placed in a queue before dispatch of a car

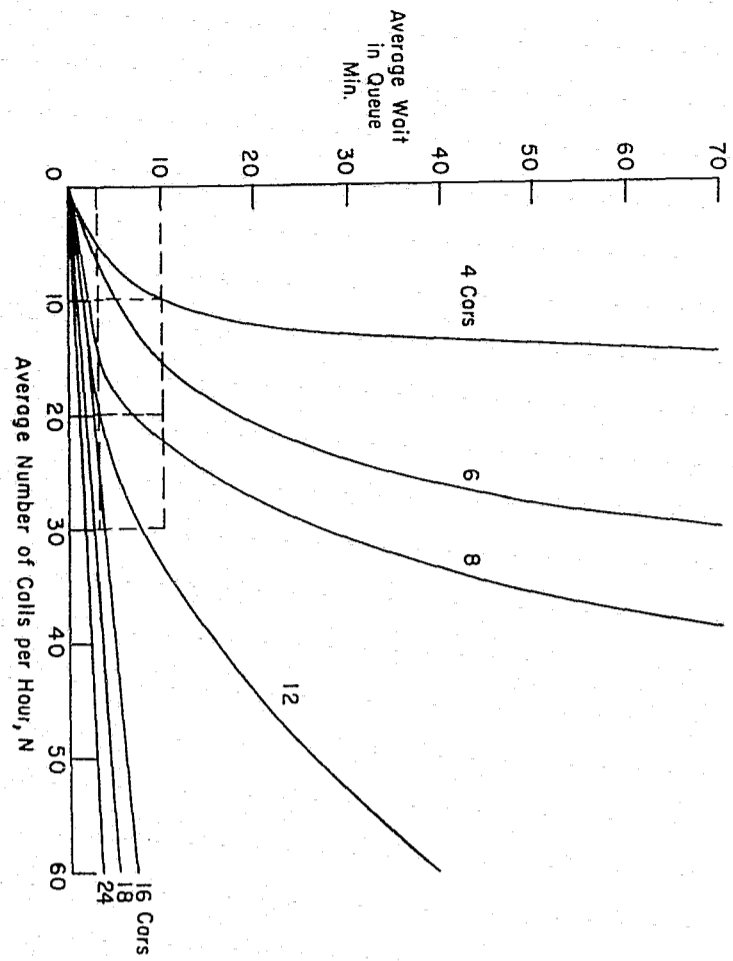


Fig. 31. Average wait in queue before dispatch of a car. The dashed lines refer to an example discussed in the text.

TABLE X. Maximum number of calls in a queue for service during simulation. Spaces showing 100 calls for simulations in saturation.

Zones and Number of Cars	Average Number of Calls per Hour, N and Strategy																	
	1.875		3.75			7.5		15				30		60				
	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S
JNO.4Z1.4	2	2	2	2	3	3	4	5	35	44	32	23	100	100	100	100	100	100
AD.6Z1.6	2	5	2	2	11	11	4	7	6	8	14	15	89	86	100	100	100	100
AD.6Z2A.6	2	5	1	1	11	11	3	7	10	12	14	15	84	86	100	100	100	100
AD.6Z2B.6	1	5	1	1	11	11	5	7	8	10	14	15	77	86	100	100	100	100
D1974.8	1	2	1	1	2	2	2	4	5	5	7	8	28	32	100	100	100	100
FL8Z1.8	2	2	2	2	2	2	2	4	3	3	8	9	32	46	100	100	100	100
JNO.4Z1.8	1	1	1	1	1	1	2	3	3	3	5	5	22	26	100	100	100	100
AD.6Z1.12	1	1	1	1	2	2	2	2	2	2	4	4	6	9	61	60	73	87
AD.6Z2A.12	1	1	1	1	2	2	1	2	3	3	4	4	8	9	55	66	73	87
AD.6Z2B.12	1	1	1	1	2	2	2	2	3	3	4	4	7	9	49	53	73	87
D1974.16	1	1	1	1	1	1	2	2	2	2	6	6	3	8	19	28	50	62
FL8Z1.16	1	1	1	1	1	1	1	1	2	2	5	5	3	7	17	20	40	27
JNO.4Z1.16	1	1	2	2	1	1	1	1	3	3	4	4	5	5	24	20	25	27
AD.6Z1.18	1	1	1	1	1	1	2	2	2	2	2	2	2	5	18	11	23	27
AD.6Z2A.18	1	1	1	1	1	1	1	2	2	2	2	2	3	5	15	14	23	27
AD.6Z2B.18	1	1	1	1	1	1	1	2	2	2	2	2	4	5	22	15	23	27
D1974.24	1	1	1	1	1	1	1	2	2	2	1	1	4	4	5	5	17	14
FL8Z1.24	1	1	1	1	1	1	1	1	2	2	2	2	2	3	4	4	9	13

TABLE XI. Onset of Saturation: the average number of calls per hour at the "onset of saturation", or number above which response times will become unacceptably long.

Cars on duty	Calls per hour at onset	Cars on duty	Calls per hour at onset
4	6	9	13
5	7.5	10	14
6	9	11	15
7	10.5	12	16
8	12	14	17.5

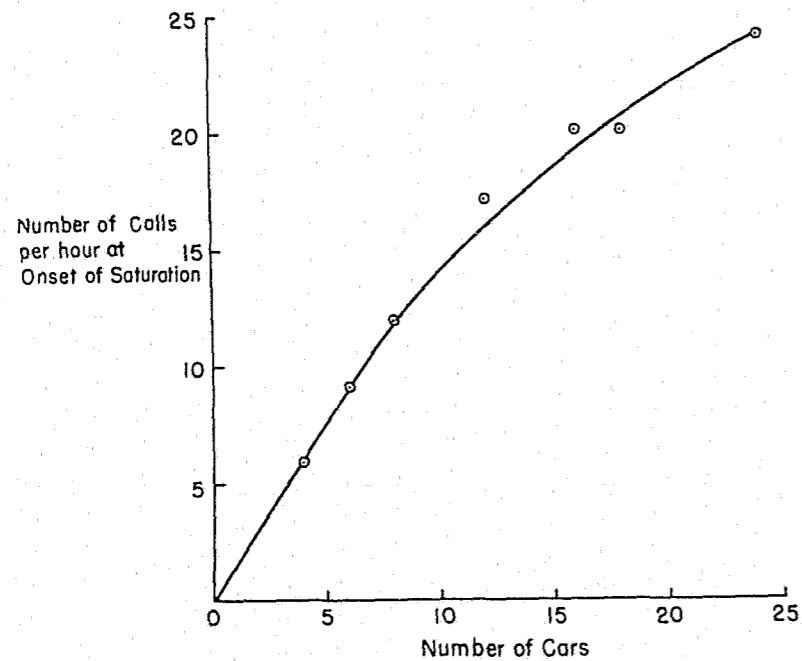


Fig. 32. Number of calls per hour at "onset of saturation", taken from curves derived from the simulation shown in Fig. 25.

occurred. Saturation occurred for 4, 6 or 8 car strategies with 30-60 calls per hour. The number of hours until this happened is shown in Table XII. Clearly it would be foolish to deploy only 4-8 cars when 30-60 calls per hour were expected.

A related parameter is the maximum number of cars simultaneously on call, shown in Table XIII. This table may be used to choose the minimum number of cars required for various average numbers of calls per hour. Thus if 1.865 calls per hour are expected 4 cars should be on patrol; for 3.75 - 7.5 calls, 6 cars; for 15 calls, 12 cars; for 30 calls, 16 cars and for 60 calls per hour, 24 cars.

Percentage of Calls in Car's Own Zone

In the simulations the percentage of calls which each car answers originating in the car's own zone is calculated for each priority. The remaining calls are interzone dispatches. The results, combined for all cars and all priorities, are given in Table XIV. In principle if one set of zones is better than another, the first set should have fewer interzone dispatches than the second. Thus the zones with the highest percentage of calls in home zone should be the "best". Inspection of Table XIV shows that choosing the "best" zones for one average number of calls per hour is seldom the "best" for another number.

Additional Details

The foregoing results were taken from the printouts of 324 computer simulations. Many steps were necessary before the mass of data contained in the printouts could be reduced to a comprehensible form. It therefore seemed pointless to include more details, but additional information may be obtained from the authors.

V. FORECASTING TABLES

Preparation

The patrol car and response time forecasting tables were prepared by combining several results. First the number of calls per hour was chosen from Fig. 10 to range from 2 to 16. From Fig. 24 it was decided that response times ranging from 3 to 20 minutes would be realistic. The number of cars required to achieve a particular average response time was then read from Fig. 24. Thus the first three columns (labeled *N*, *Av. RT* and *No. C*) were obtained in Table XIV.

When a certain number of patrol cars are on duty it is also important to know what proportion of their time will be available for preventive patrol. This was done with formulae using the results for preventive patrol shown in Fig. 28. The percentage of patrol time may be expressed (1) as

$$\%PT = 100 - KN \tag{1}$$

where $\%PT$ = percentage of time each car has for preventive patrol,
 K = a constant, and
 N = number of calls per hour.

TABLE XII. Time to onset of saturation, defined as the number of hours from the beginning of the simulation until 100 calls (of all priorities) are in queue.

Zones and Numbers of Cars	Average Number of Calls per Hour, N, and Strategy					
	30			60		
	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S
JNO.4Z1.4	7.6	7.9	2.5	2.5	2.5	2.5
AD.6Z1.6			3.3	3.3	3.4	3.3
AD.6Z2A.6			3.2	3.2	3.4	3.3
AD.6Z2B.6			3.4	3.1	3.4	3.3
D1974.8			3.9	3.9	3.7	3.6
FL8Z1.8			3.7	4.2	3.4	3.2
JNO.4Z1.8			3.8	3.6	3.6	3.7

TABLE XIII. Maximum number of cars simultaneously on call during a simulation. The dashed lines may be used to choose the minimum number of cars required to deal with a certain N.

Zones and Number of Cars	Average Number of Calls per Hour, N, and Strategy																	
	1.875		3.75				7.5		15				30		60			
	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S	D C W C	Z C W C	D C W C	D F C F S	Z C W C	Z F C F S
JNO.4Z1.4	3	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4	4
AD.6Z1.6	4	3	4	4	5	5	6	5	6	6	6	6	6	6	6	6	6	6
AD.6Z2A.6	3	3	5	5	5	5	6	5	6	6	6	6	6	6	6	6	6	6
AD.6Z2B.6	4	3	5	5	5	5	5	5	6	6	6	6	6	6	6	6	6	6
D1974.8	4	3	4	4	4	4	7	5	8	8	7	7	8	8	8	8	8	8
FL8Z1.8	4	4	4	4	3	3	7	6	8	8	7	7	8	8	8	8	8	8
JNO.4Z1.8	4	4	4	4	4	4	6	6	8	8	8	8	8	8	8	8	8	8
AD.6Z1.12	3	3	5	5	4	4	6	7	9	9	8	8	12	11	12	12	12	12
AD.6Z2A.12	3	3	4	4	4	4	7	7	8	9	8	8	12	11	12	12	12	12
AD.6Z2B.12	3	3	4	4	4	4	7	7	11	11	8	8	12	11	12	12	12	12
D1974.16	3	3	5	5	4	4	7	6	11	11	9	9	14	13	16	16	16	15
FL8Z1.16	4	4	5	5	5	5	7	7	10	10	9	9	14	12	16	16	16	16
JNO.4Z1.16	4	4	5	5	5	5	6	6	11	11	8	8	14	14	16	16	16	16
AD.6Z1.18	4	3	4	4	4	4	8	7	9	9	9	9	13	14	18	18	18	18
AD.6Z2A.18	4	3	4	4	4	4	5	7	11	11	9	9	14	14	18	18	18	18
AD.6Z2B.18	3	3	4	4	4	4	7	7	9	9	9	9	14	14	18	18	18	18
D1974.24	3	3	4	4	5	5	7	8	9	9	9	9	15	12	24	24	23	21
FL8Z1.24	3	3	5	5	6	4	10	10	10	10	15	14	15	14	21	21	20	23

TABLE XIV. Percentage of calls in car's own zone. (District dispatch)

Zones and Number of Cars	Average Number of Calls per Hour									
	1.875	3.75			7.5	15		30	60	
	D C W C	D C W C	D F C F S	D C W C	D C W C	D F C F S	D C W C	D C W C	D C W C	D F C F S
JNO.4Z1.4	83	81	78	63	38	35	-	-	-	
AD.6Z1.6	73	64	64	64	45	41	30	-	-	
AD.6Z2A.6	78	88	78	64	57	55	46	-	-	
AD.6Z2B.6	89	85	85	80	59	62	50	-	-	
D1974.8	47	44	44	38	32	37	29	-	-	
FL8Z1.8	78	74	74	68	53	53	27	-	-	
JNO.4Z1.8	93	89	89	89	72	72	47	-	-	
AD.6Z1.12	86	82	82	90	78	78	52	23	32	
AD.6Z2A.12	89	88	88	88	77	79	63	52	48	
AD.6Z2B.12	91	90	90	90	86	86	68	51	43	
D1974.16	88	90	91	85	73	74	63	34	33	
FL8Z1.16	85	87	87	87	81	81	74	36	33	
JNO.4Z1.16	92	95	95	93	90	89	75	40	56	
AD.6Z1.18	86	89	89	89	87	87	75	36	42	
AD.6Z2A.18	89	93	93	94	85	85	81	54	40	
AD.6Z2B.18	95	96	96	94	91	91	83	66	62	
D1974.24	92	91	91	88	87	86	73	56	56	
FL8Z1.24	96	89	89	88	82	80	81	62	61	

A value of K must be calculated for each number of patrol cars selected, by reading the intercept with the x-axis of the curve in Fig. 28 and solving $K = 100/(\text{Intercept.})$. For example, for 6 cars the intercept is 20.8 calls per hour and $K = 100/20.8 = 4.81$. Values of K for numbers of cars not shown in Fig. 28 were found by interpolation.

Similarly the number of hours of preventive patrol time the cars will have during an 8 hour shift, HrPT, was calculated using the formula

$$\text{HrPT} = 8(\text{No.C}) - \text{BN} \quad (2)$$

where No. C = number of cars on patrol, and

B = a constant

The constant B is the slope of the lines shown in Fig. 29 and was calculated as 2.02. Thus, for example, if 6 cars were on duty and 8 calls per hour were being dispatched we would have $\text{HrPT} = 8(6) - 2.02(8) = 32$ hours. Columns 4 and 5 of Table XIV were calculated using these procedures. Table XVI was prepared using the same procedures and formulae in a different order.

Use

The forecasting tables may be used to plan the number of cars for a particular period when a certain number of calls per hour are expected, including the likely effect should the number of calls change during this period. Table XV shows the number of patrol cars needed to maintain a certain average response time when a certain average number of calls per hour are being received. Table XV may be used as follows. Suppose that during a certain shift (whose calls could be depicted by Fig. 9) 5 calls per hour were expected and a 5 minute response time was desired. From Table XV we see that 8 cars would be required to maintain this level of response. Also we see that with 8 cars on duty 84% of the time would be available for preventive patrol or duties other than answering calls. During an 8 hour shift there would be 54 man-hours available for these duties.

Table XVI gives the same data arranged in a different way. If 8 cars are on duty and 5 calls per hour are arriving we again have a 5 minute response time, 84% preventive patrol time and 54 hours of preventive patrol time. Suppose now that the number of calls suddenly increases to 10 per hour. The average response time would increase to 6 minutes, preventive patrol time to 67% and hours of preventive patrol to 44. This level of calls would still be below the onset of saturation (12 calls per hour from Table X) so this increase in calls per hour could adequately be handled by 8 cars.

Tables XI, XV and XVI may be used for planning patrol car deployment. Since they are based on the limited amount of data taken 13-26 March 1974, however, they should be used with caution until their predictions are verified.

TABLE XV

Patrol Car Forecasting Table
R.C.M.P. Burnaby Detachment
Based on data obtained 13 - 26 March 1974

N = number of calls per hour expected to which a radio car will be dispatched.
Av RT = average response time desired, in minutes.
No. C = number of cars required to achieve this Av RT.
% PT = percentage of time each car has for preventive patrol.
Hr PT = number of hours of preventive patrol time the cars will have during an 8 hour shift.

N	Av RT	No. C	% PT	Hr PT	N	Av RT	No. C	% PT	Hr PT
2	3	24	98	188	3	3	24	97	186
	4	13	96	100		4	15	95	114
	5	7	92	52		5	7	88	50
	6	4	87	28	3	6	6	86	42
	7	4	87	28		7	4	82	26
	8	4	87	28		8	4	82	26
	9	4	87	28		9	4	82	26
	10	4	87	28		10	4	82	26
4	3	24	96	184	5	3	24	95	182
	4	15	93	112		4	16	92	118
	5	7	84	48		5	8	84	54
	6	6	81	40		6	7	84	46
	7	5	78	32		7	6	76	38
	8	4	74	24		8	4	67	22
	9	4	74	24		9	4	67	22
	10	4	74	24		10	4	67	22
6	3	24	94	180	7	3	24	93	178
	4	16	90	116		4	16	89	114
	5	9	82	60		5	11	83	74
	6	7	77	44		6	8	77	50
	7	7	77	44		7	7	73	42
	8	5	67	28		8	6	66	34
	9	4	61	20		9	5	61	26
	10	4	61	20		10	4	54	18
8	3	>24			9	3	>24		
	4	17	88			4	18	88	126
	5	12	82	80		5	12	80	78
	6	8	74	48		6	8	71	46
	7	7	69	28		7	7	65	38
	8	6	61	32		8	7	65	38
	9	6	61	32		9	6	57	30
	10	5	56	24		10	6	57	30
10	4	18	87	124	12	4	18	84	120
	6	9	67	52		6	13	68	56
	8	7	61	36		8	8	61	40
	10	6	52	28		10	7	53	32
	12	5	45	20		12	6	42	24
	14	5	45	20		14	5	34	16
	16	5	45	20		16	5	34	16
	18	4	35	12		18	5	34	16
	20	4	35	12		20	5	34	16
14	4	19	82	124	16	4	20	81	128
	6	11	66	60		6	12	64	64
	8	8	54	36		8	9	53	40
	10	7	46	28		10	8	48	32
	12	6	33	20		12	7	38	24
	14	6	33	20		14	6	23	16
	16	6	33	20		16	6	23	16
	18	5	23	12		18	6	23	16
	20	5	23	12		20	5	12	8

TABLE XVI

Response Time Forecasting Table
R.C.M.P. Burnaby Detachment
Based on data obtained 13 - 26 March 1974

No. C = number of radio patrol cars on duty
N = number of dispatched calls per hour
Av RT = average response time to be expected with this No. C and N
% PT = percentage of time each car has for preventive patrol
Hr PT = number of hours of preventive patrol time the cars will have during an 8 hour shift.

No. C	N	Av RT	% PT	Hr PT	No. C	N	Av RT	% PT	Hr PT	No. C	N	Av RT	% PT	Hr PT
4	2	7	87	28	5	2	6	89	36	6	2	5	90	44
	3	7	82	26		3	6	83	34		3	6	86	42
	4	8	74	24		4	7	78	32		4	6	81	40
	5	8	67	22		5	7	72	30		5	7	76	38
	6	9	61	20		6	8	67	28		6	7	71	36
	7	10	54	18		7	9	61	26		7	8	66	34
	8	12	48	16		8	8	56	24		8	8	61	32
	9	15	41	14		9	12	50	22		9	9	57	30
	10	18	35	12		10	12	45	20		10	10	52	28
	12	27	22	8		12	14	34	16		12	12	42	14
	14	>30				14	18	23	12		14	12	33	20
	16	>30				16	20	12	8		16	14	23	16
7	2	5	92	52	8	2	4	93	60	9	2	4	94	68
	3	5	88	50		3	4	90	58		3	4	91	66
	4	5	84	48		4	5	87	56		4	5	88	64
	5	6	84	46		5	5	84	54		5	5	85	62
	6	6	77	44		6	5	80	52		6	5	82	60
	7	7	73	42		7	6	77	50		7	5	79	58
	8	7	69	40		8	6	74	48		8	6	77	56
	9	7	65	38		9	6	71	46		9	6	74	54
	10	8	61	36		10	6	67	44		10	6	67	52
	12	10	53	32		12	8	61	40		12	7	65	48
	14	10	46	28		14	8	54	36		14	8	59	44
	16	12	38	24		16	10	48	32		16	8	53	40
10	2	4	95	16	11	2	4	95	84	12	2	4	95	92
	3	4	92	14		3	4	93	82		3	4	93	90
	4	5	89	12		4	4	90	80		4	4	91	88
	5	5	87	10		5	5	88	78		5	5	89	86
	6	5	84	8		6	5	85	76		6	5	87	84
	7	5	81	6		7	5	83	74		7	5	84	82
	8	5	79	4		8	5	81	72		8	5	82	80
	9	5	76	2		9	5	78	70		9	5	80	78
	10	6	73	0		10	5	76	68		10	5	78	76
	12	6	68	0		12	6	71	64		12	5	73	72
	14	7	63	0		14	6	66	60		14	6	69	68
	16	7	57	0		16	7	61	56		16	6	64	64
14	2	4	96	108	16	2	4	97	124	18	2	4	97	140
	3	4	94	106		3	4	95	122		3	4	96	138
	4	4	92	104		4	4	94	120		4	4	95	136
	5	4	91	102		5	4	92	118		5	4	93	134
	6	4	89	100		6	4	90	116		6	4	92	132
	7	4	87	98		7	4	89	114		7	4	91	130
	8	5	85	96		8	4	87	112		8	4	89	128
	9	5	83	94		9	4	86	110		9	4	88	126
	10	5	81	92		10	4	84	108		10	4	87	124
	12	5	78	88		12	4	81	104		12	4	84	120
	14	5	74	84		14	5	78	100		14	4	81	116
	16	6	70	80		16	5	74	96		16	4	79	112
20	2	3	98	156	22	2	3	98	172	24	2	3	98	188
	3	3	96	154		3	3	97	170		3	3	97	186
	4	3	95	152		4	3	96	168		4	3	96	184
	5	3	94	150		5	3	95	166		5	3	95	182
	6	3	93	148		6	3	93	164		6	3	94	180
	7	4	91	146		7	3	92	162		7	3	93	178
	8	4	90	144		8	3	91	160		8	3	92	176
	9	4	89	142		9	3	90	158		9	3	91	174
	10	4	88	140		10	4	89	156		10	3	90	172
	12	4	85	136		12	4	87	152		12	3	88	168
	14	4	83	132		14	4	85	148		14	3	86	164
	16	4	81	128		16	4	82	144		16	4	84	160

VI. SUGGESTIONS FOR OPERATION*

It is suggested that records of occurrences include the atom number, time and a number indicating the type of occurrence. If this is done a continuing record of occurrences — atom by atom and hour by hour — will be acquired which should be valuable both as record of past occurrences and as an aid in forecasting. Also the number of calls per hour during various times of the day, days of the week, and seasons of the year will become known and facilitate the use of Tables XV—XVI for forecasting patrol operations. The use of a computer as an aid in keeping track of these data should be considered

It is suggested that one of the arrangements of zones worked out by the authors on the basis of equal workloads be adopted. The division into zones should be reviewed from time to time, say every 1—2 years, so that changes in the pattern of occurrences can be dealt with.

Finally, it is suggested that Tables X, XV and XVI be used for determining manpower requirements for various shifts. A logical step after forecasting the number of calls per hour is to make appropriate shift schedules. Such schedules were beyond the scope of the work described here, but it is hoped that the results will be useful for this purpose.

* Some of the suggestions have already been adopted.

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